

# **Electrochemical Input for SOFC Performance Modeling**

Summary and Recommendations

Report to DOE/NETL  
Mr. Donald Collins

by

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November 2001

- Summary of a report in preparation

## **OBJECTIVES:**

- A. Review current literature on electrode kinetics in SOFC
- B. Compile electrochemical data relevant for SOFC modeling
- C. Recommend a modeling strategy for incorporating electrochemistry

## POTENTIAL BALANCE

$$\Delta E = \Delta E^{\text{eq}} - jR_{\Omega} - \eta_{\text{N}} + \eta_{\text{P}}$$

$\Delta E$  = cell potential under load [V]

$\Delta E^{\text{eq}}$  = cell equilibrium potential [V]

$j$  = current density [ $\text{A}\cdot\text{m}^{-2}$ ]

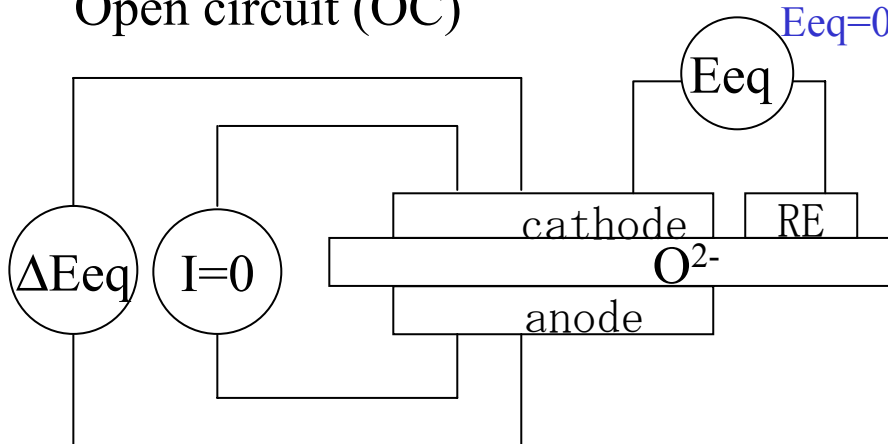
$R_{\Omega}$  = ohmic area-specific resistance [ $\text{ohm}\cdot\text{m}^2$ ]

$\eta_{\text{N}}$  = NE (or anode) polarization [V]

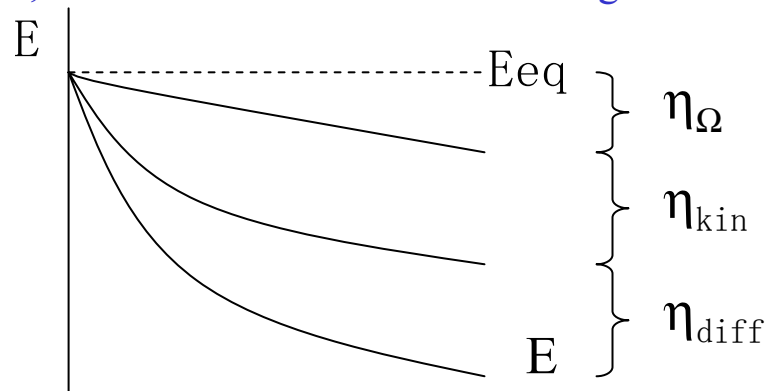
$\eta_{\text{P}}$  = PE (or cathode) polarization [V]

# 3-electrode fuel cell

Open circuit (OC)

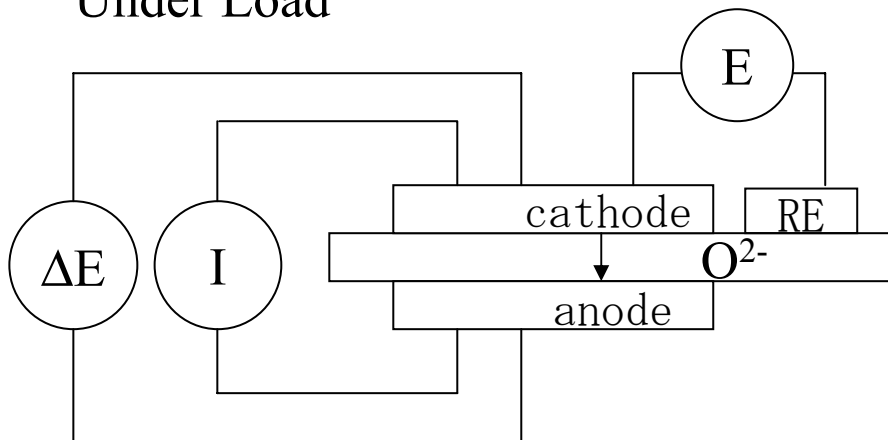


$E_{eq}=0$  at OC, if electrode and RE under same gas

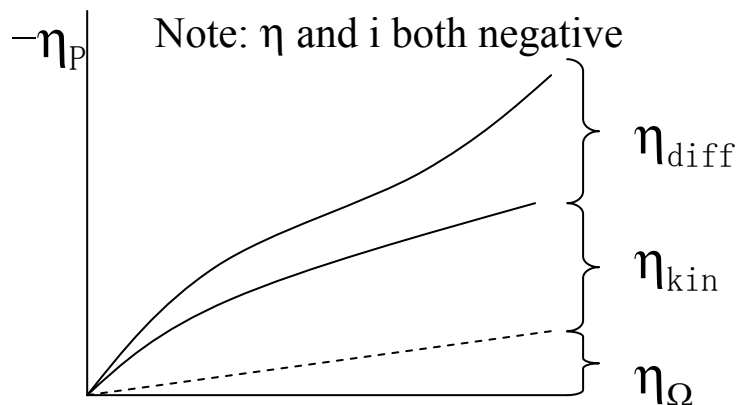


$-i = -I/A$   
current density

Under Load



$E - E_{eq} = \eta =$  "polarization"



Note:  $\eta$  and  $i$  both negative

$-i = -I/A$

## POLARIZATION OR OVERPOTENTIAL $\eta$

is the potential driving force for the reaction

- in anodic direction (current and overpotential both positive), or
- in cathodic direction (both negative)

For each electrode

$$\eta = E - E^{\text{eq}} \quad [\text{V}]$$

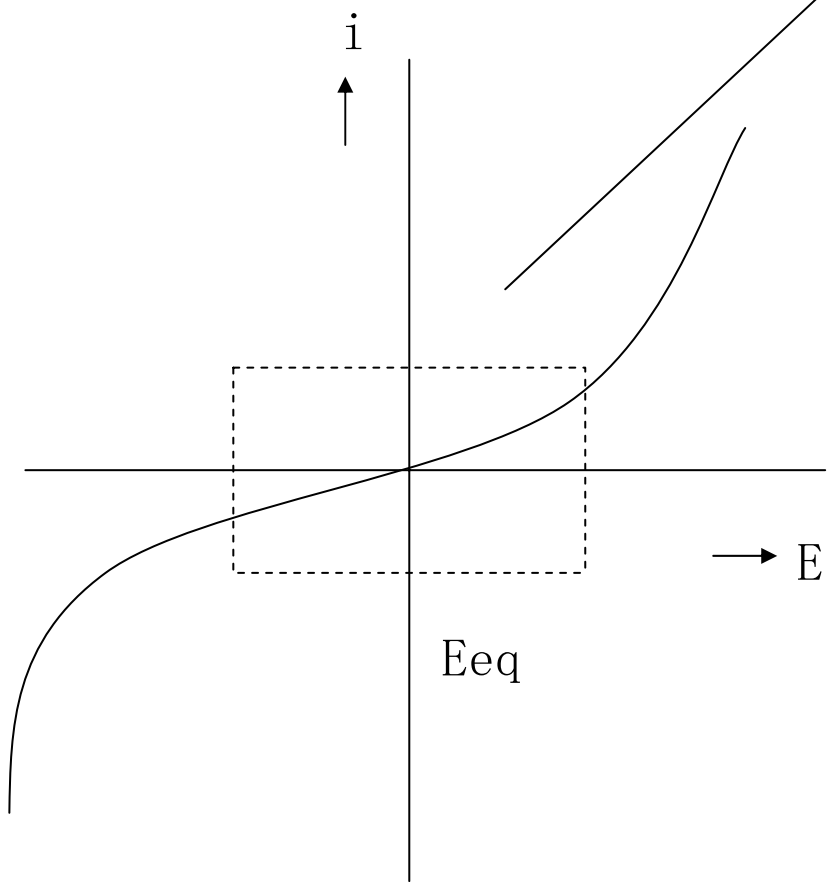
It consists of three contributions:

$$\eta = \eta_{\text{kin}} + \eta_{\text{dif}} + \eta_{\Omega} \quad [\text{V}]$$

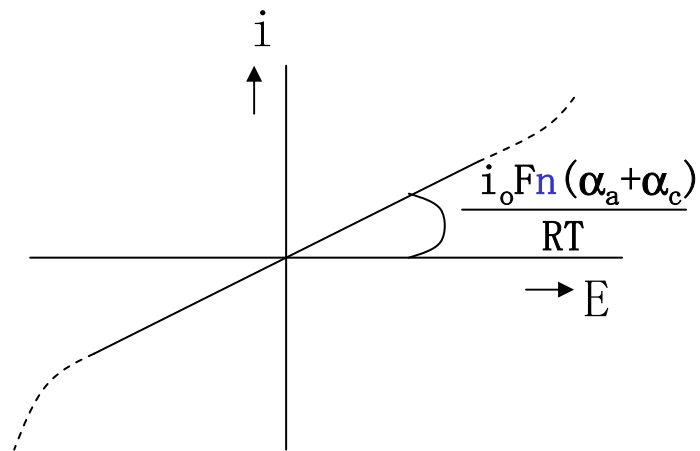
where  $\eta_{\text{kin}}$  = kinetic (surface) overpotential  
 $\eta_{\text{dif}}$  = diffusion (mass transfer, concentration) overpotential  
 $\eta_{\Omega}$  = ohmic contribution to polarization

$\eta_{kin}$  represents  
**ELECTRODE KINETIC**  
**rate limitation**

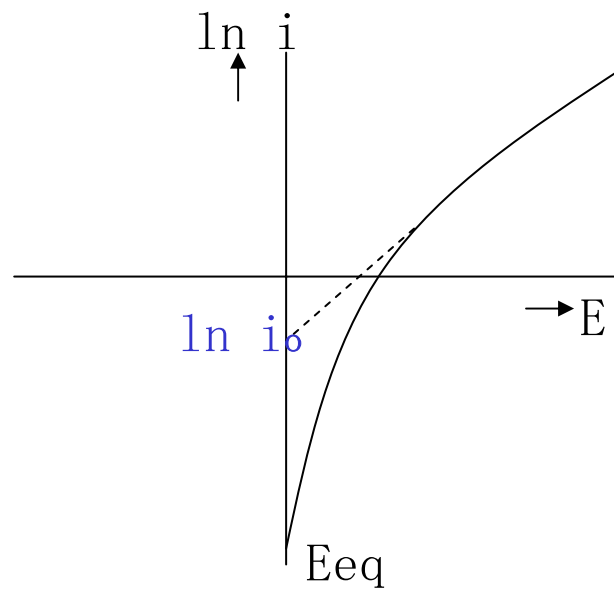
Butler-Volmer equation



Linear equation



Tafel equation (anodic branch)



$\eta_{\text{dif}}$  represents **diffusion (or concentration) polarization**

- due to diffusion (or mass-transfer) resistance

In fuel cell electrodes this resistance is usually understood to be

- *gas-phase diffusion* resistance

But it might include

- *surface diffusion* resistance (of adsorbed electro-active species such as H, OH<sup>-</sup>, etc , assumed to participate in the electrode reaction

However, surface diffusion resistance is not easy to distinguish from kinetic resistance

## OVERPOTENTIAL

- is actually a *local quantity* (for each point on the electrode/electrolyte interface)
- usually varies from point to point in the depth of a fuel cell porous electrode
- due to non-uniform current distribution
- consequently, local overpotential is difficult to measure

Experimentally, we measure:

**POLARIZATION**, i.e.,

potential (vs RE) at current tab of an electrode, under load,

**minus**

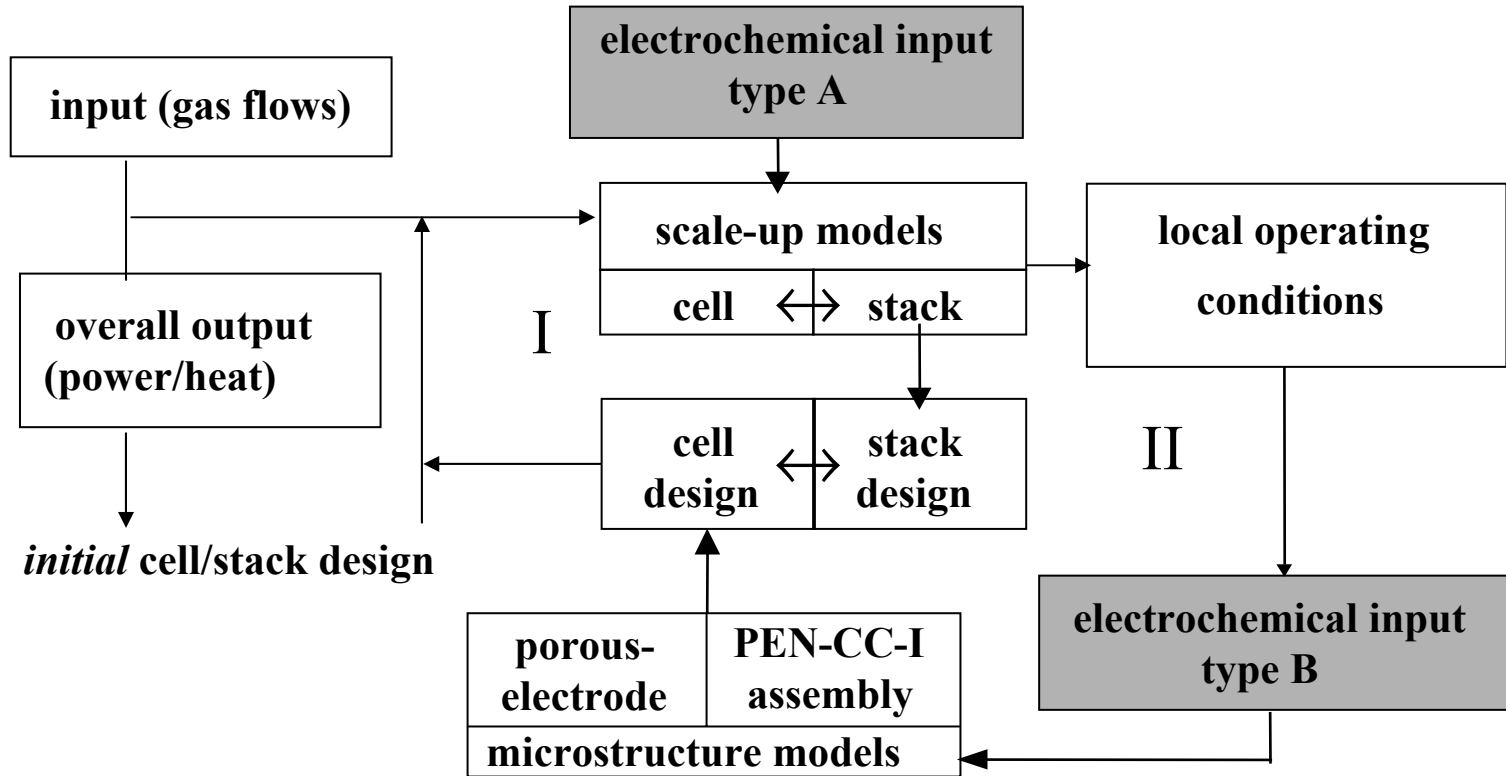
potential (vs same RE) at same current tab, under equilibrium condition (open circuit)

NOTE: *polarization of a fuel cell electrode = sum of*

- *distributed overpotential and*
- *distributed IR-drop*



## Flow sheet for SOFC design/performance modeling showing electrochemical input



Design process starts from the left and proceeds through cell+stack iteration I, then electrode+cell iteration II within iteration I (if greater accuracy is needed)

This design flowsheet suggests two types of **electrochemical input needed for SOFC modeling**

Type A. Input for scale-up modeling of cells and stacks

- \* *need not be detailed*, mechanistically
- \* must apply over a range of relevant operating conditions—and correlate i-E behavior with gas composition, temperature, pressure
- \* may be material/structure specific (and perhaps “laboratory-specific”)
- \* range of validity restricted by application targeted

Type B. Input for modeling electrode performance as f (microstructure)

- \* may need to contain kinetic (mechanistic) and diffusion details
- \* may be needed only over certain range of composition and temperature (*depending on feedback from scale-up model!*)
- \* has a larger “generic content”

## Part I. ELECTRODE-KINETICS OF SOFC ELECTRODES

- several hundred references compiled
- key papers identified and reviewed
- divided into 2 distinct periods

1980 – 1995

classical approach

1995 – present

pragmatic approach

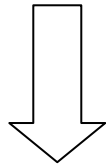
- emphasizing microstructure

## First period – classical approach

- Attempt separation of kinetics/mass transfer/ohmic resistance using reference electrode
- Use of “ideal” electrode materials (Pt, Ni)
- Expression of results in
  - Butler-Volmer formalism
  - reaction mechanism

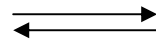
# RELATIONSHIP OF REACTION MECHANISM TO EXPERIMENTAL DATA

REACTION MECHANISM (theory)



assume reaction steps and RDS  
(rate determining step)

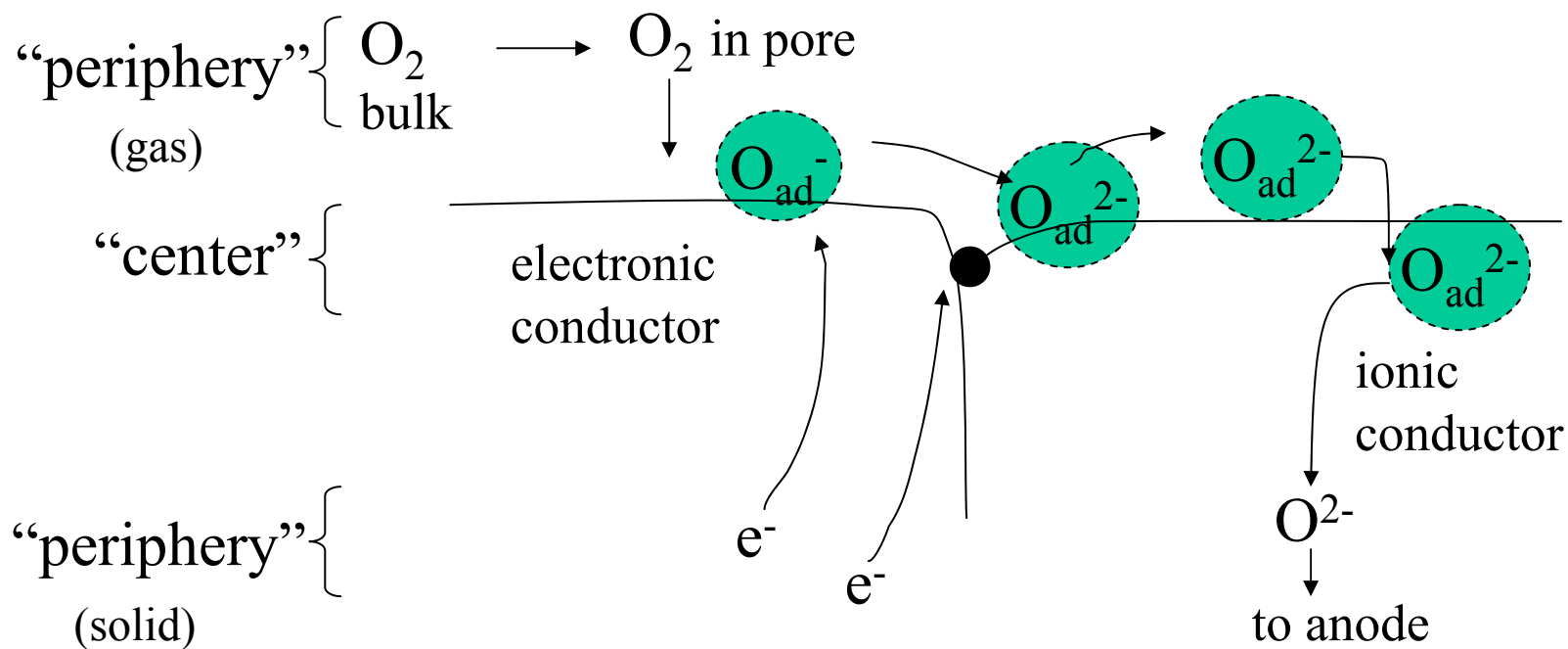
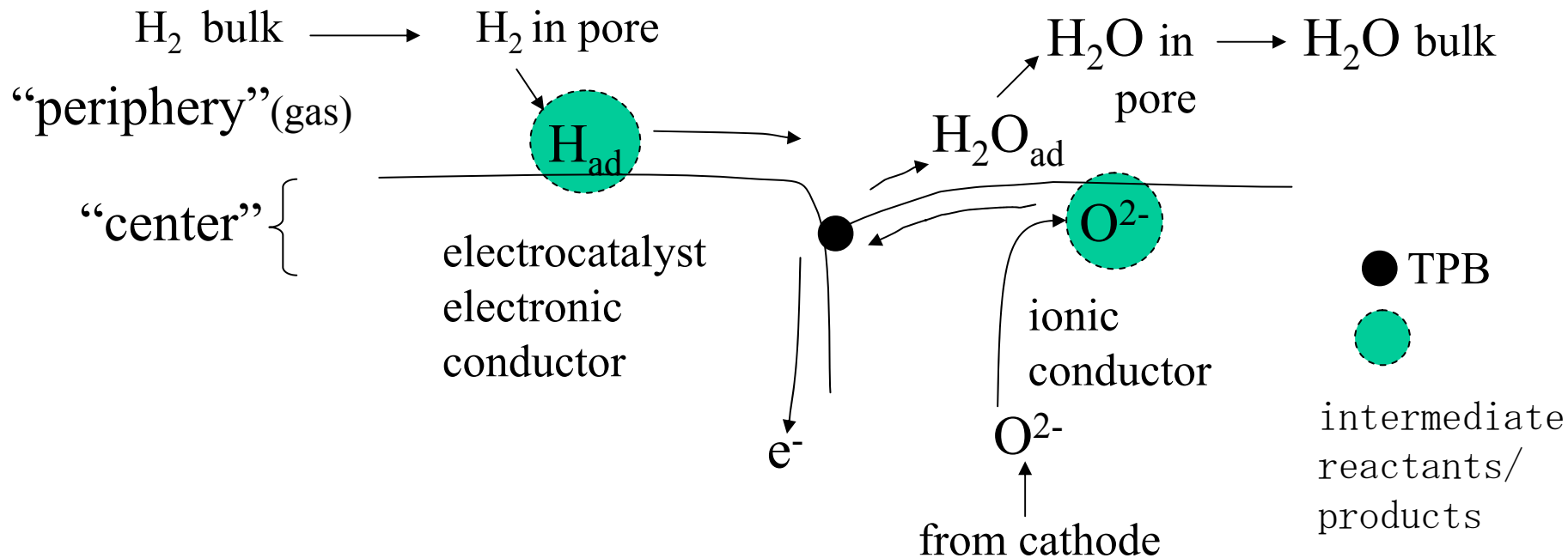
KINETIC EQUATION  
 $i = f(\text{kinetic overpotential})$



(experiment)  
POLARIZATION CURVE  
 $i = f(\text{total overpotential})$

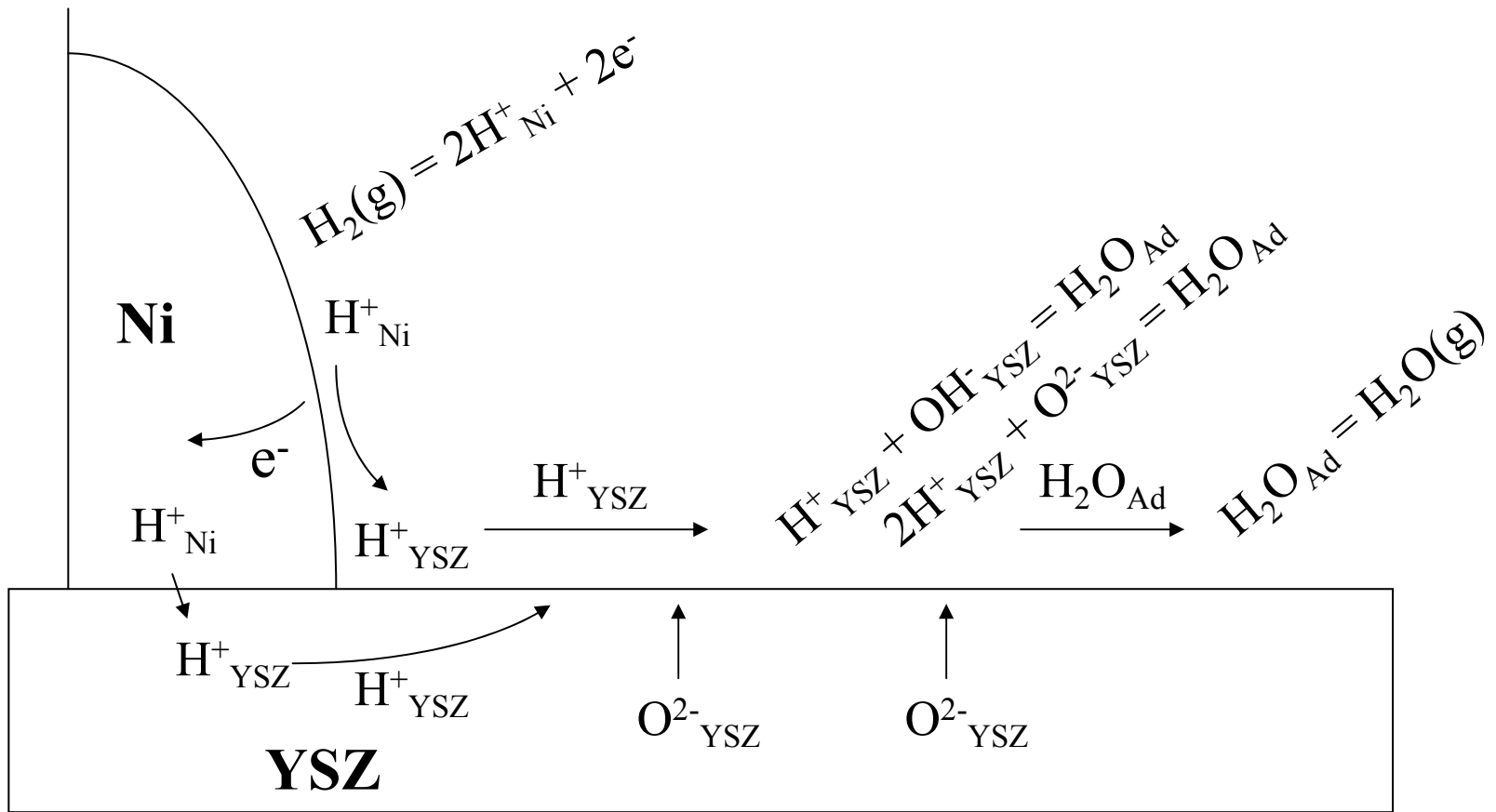
“center” vs “periphery”

ohmic potential drop  
mass-transfer overpotential



## First period – main focus

- **reaction site** : in principle three-phase-boundary (TPB),  
but  
in practice TPB plus adjacent (reaction + diffusion) zone
- possible **reaction pathways**
- appropriate **geometry of test cell** and location of reference electrode (RE)
  - distortion of measurements by inaccurate RE placement
  - non-uniform gas access
  - necessity of small utilization fuel, air



Competing reaction paths and transport steps which may occur on the YSZ surface  
(from Primdahl, et al.)



## First period – conclusions

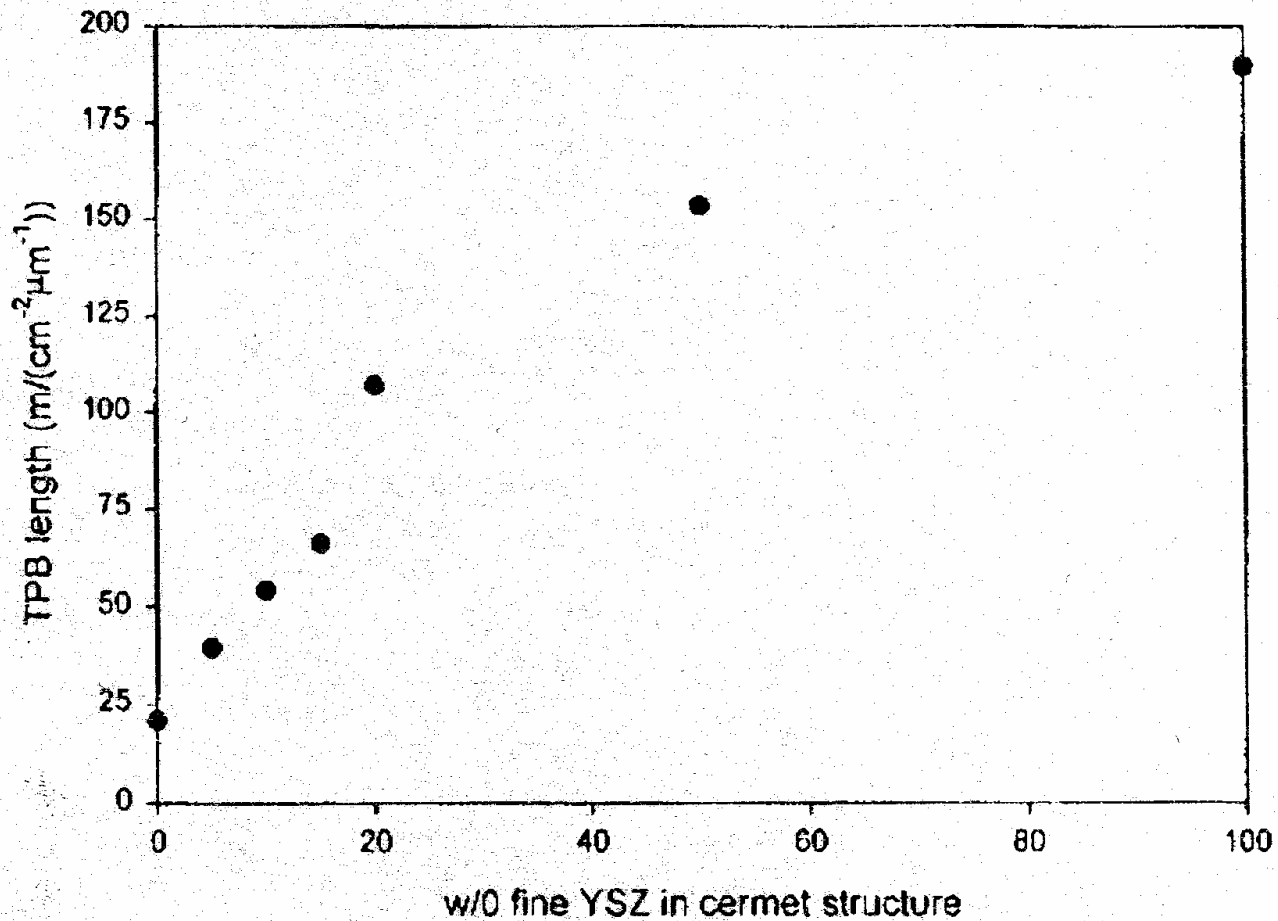
- kinetics of both H<sub>2</sub> oxidation and O<sub>2</sub> reduction are relatively fast compared to gas phase mass transfer (at least in small test cells)
- surface diffusion, though fast, may determine kinetics
- linear current-overpotential curves expected ( $RT/F = 60\text{-}100\text{ mV}$ ) but often not obtained (Tafel slopes reported)
- polarization behavior varies strongly depending on microstructure
- range of  $i_0$  values reported → may be due to large variations in  $l_{\text{TPB}}$  as well as surface diffusion distance
- time-dependence of kinetics (hysteresis at short times, ageing effect at long times)
- contradictory reaction mechanisms adopted by different researchers

All this points to

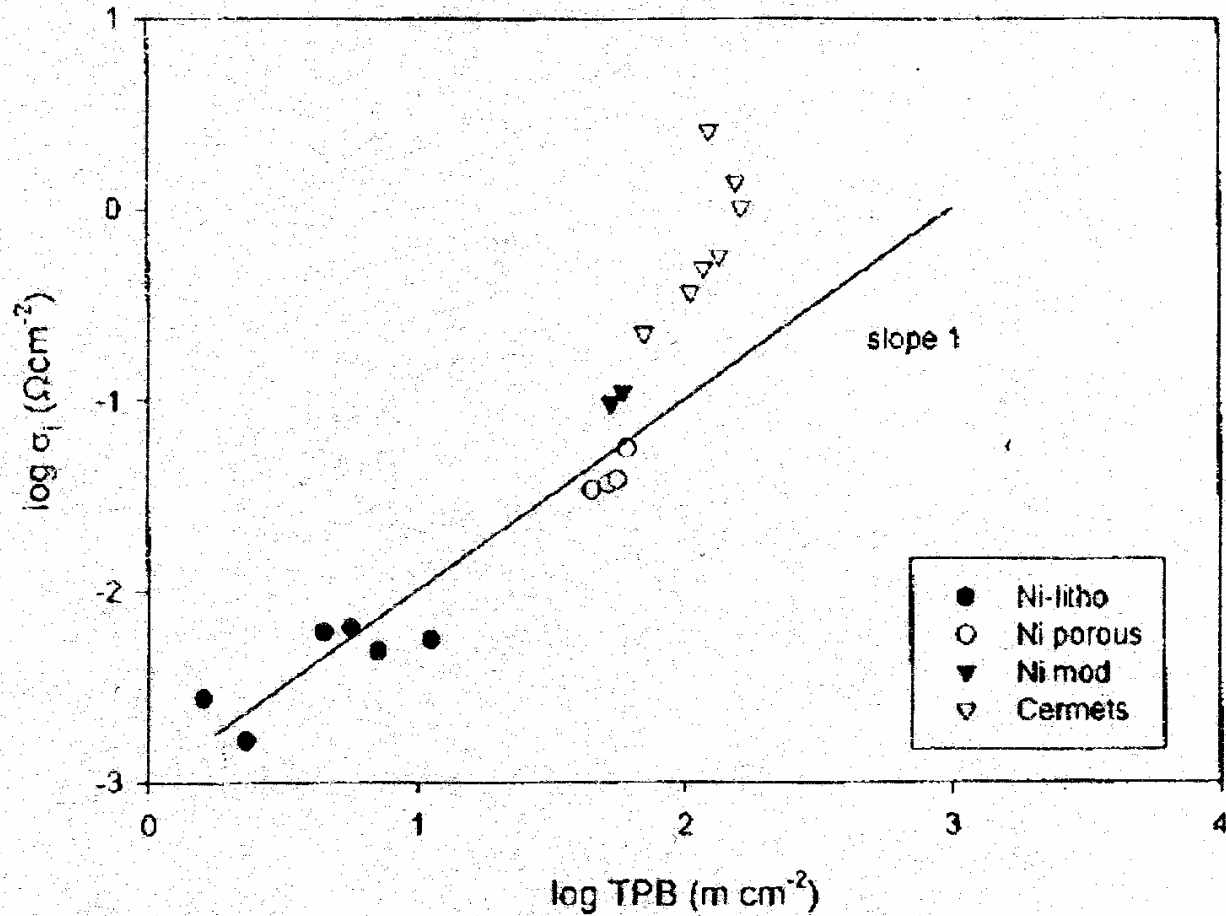
- need for a standardized test cell geometry
- lack of control in microstructure fabrication
- effect of variable operation history.

## Second period – main focus

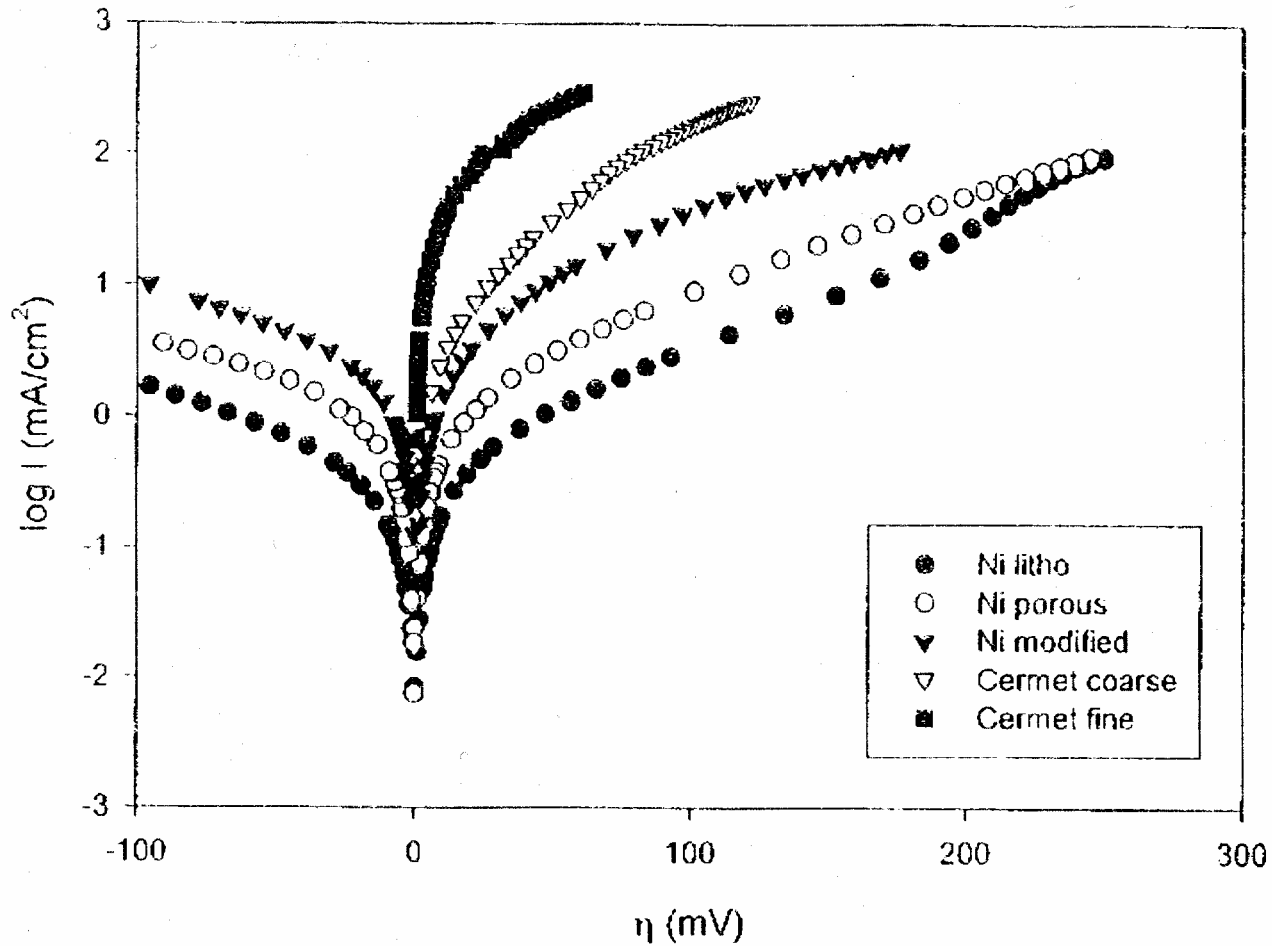
- extensive and systematic studies of microstructure effect on kinetics (de Boer, Primdahl and Mogensen, Jorgensen and Mogensen, Bieberle and Gauckler, Mitterdorfer and Gauckler, van Heuveln)
- adoption of standard test cells
  - thin-electrolyte cells (RE placement sensitive)
  - thick-electrolyte cells (ohmic resistance dominant)
- AC impedance analysis preferred, as non-intrusive technique



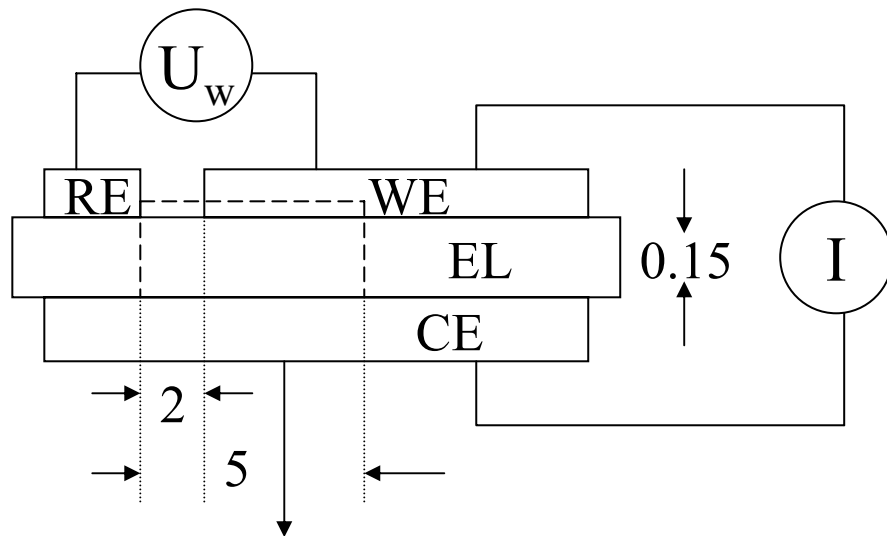
TPB length ( $\text{m} \cdot \text{cm}^{-2} \mu\text{m}^{-1}$ ) as function of w/0 fine YSZ in the cermet structures  
(from de Boer, et al.)



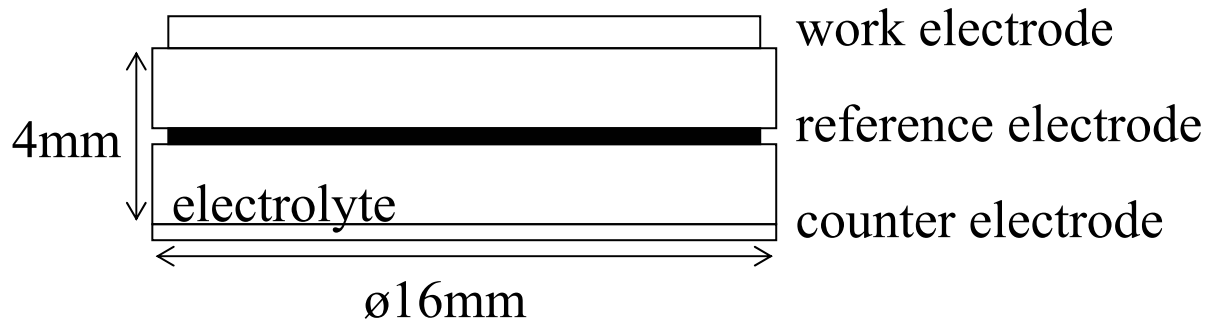
Total electrode conductance for different type of anodes as function of the measured nickel perimeter (from de Boer, et al.)



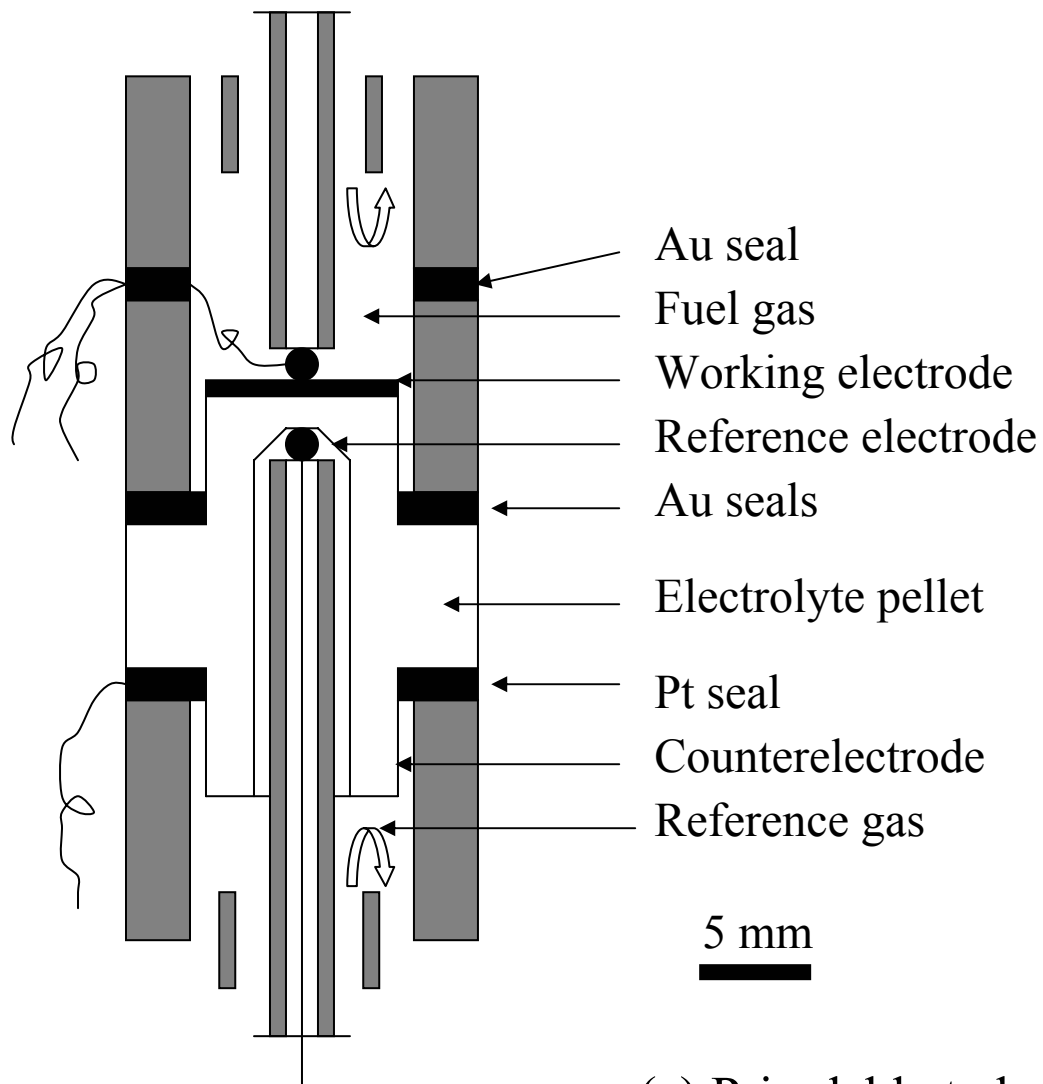
Tafel plots as measured for different anodes under standard conditions  
(from de Boer, et al.)



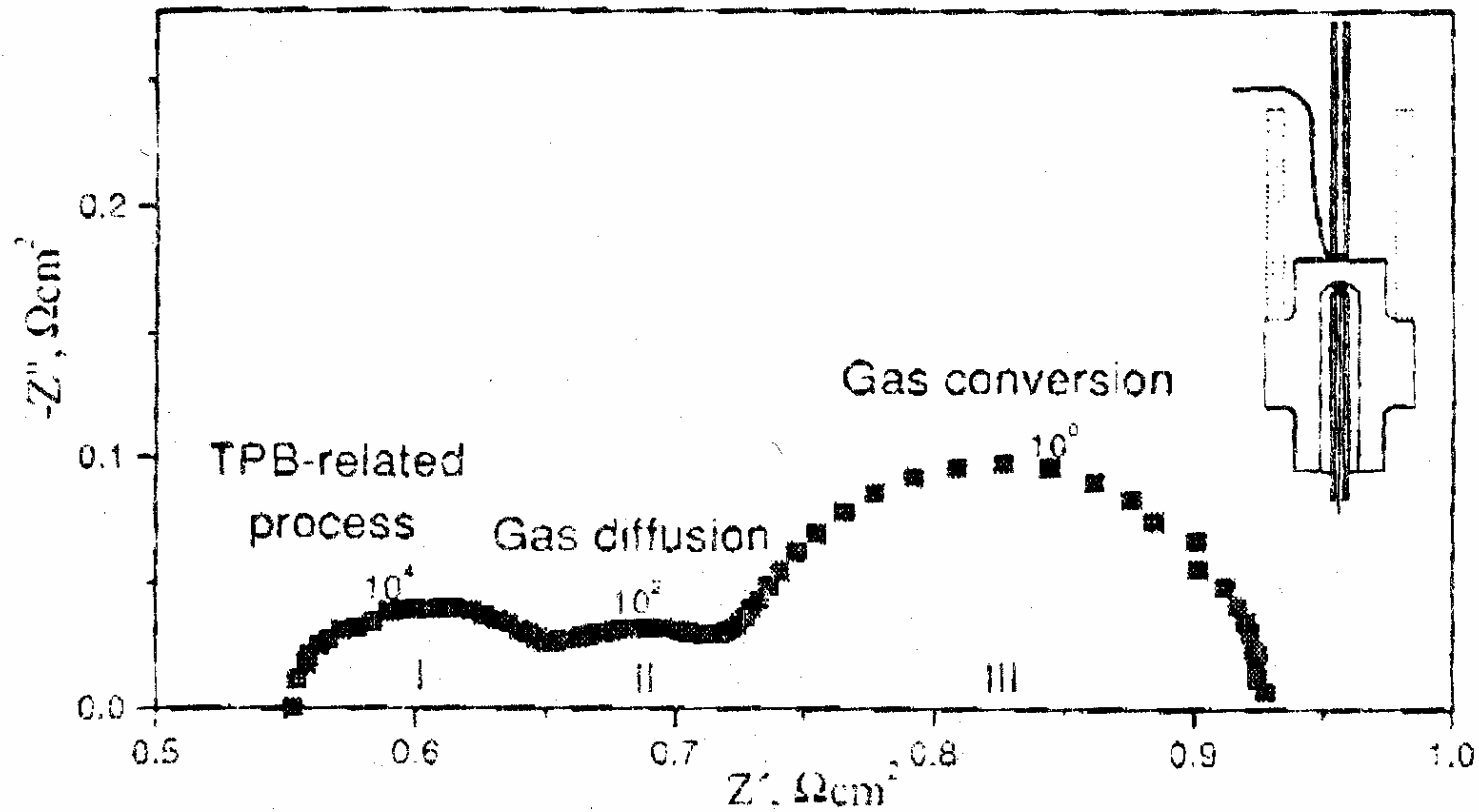
(a) van Heuveln et al. (ECN)  
Bieberle (TUZ)



(b) de Boer et al. (TUTwenthe)



(c) Primdahl et al. (Risoe)



Impedance spectrum for a Ni/YSZ cermet anode at 1000°C  
 in hydrogen with 3% water at open circuit potential  
 (From Primdahl, et al.)



## Second period – conclusions

- AC impedance characteristics show typically 3 semi-circles (some depressed)
- At both anode and cathode the high-frequency resistance  $R_1$  is kinetic in origin, and related to  $l_{\text{TPB}}$
- The relationship to  $l_{\text{TPB}}$  (if known) is not reproducible from one cell to the next  $\rightarrow$  microstructure control at level of pore size (1-10  $\mu\text{m}$ ) is not enough. Variability depends probably on purity of materials as well as details of heat treatment.  
***Raises the issue of quality control in fabrication, at sub- $\mu\text{m}$  level!***
- The middle and low frequency semi-circles are related to gas composition (and utilization) as well as cell geometry – but microstructure at level of 1-10  $\mu\text{m}$  also plays a role

## Second period – conclusions (cont'd)

- Analysis of impedance data (reaction orders, etc.) does not indicate a clearly recognizable single RDS (rate-determining step)
- Multi-RDS mechanisms are likely and may require analyzing data by advanced numerical methods (State-space-method etc.-Gauckler et al. )
- The resistance values associated with the high-frequency semi-circle may be useful in porous-electrode modeling as measure of electrode-kinetic resistance, but they appear to be “laboratory-specific”.
- Gas composition dependence of kinetic resistance ( $R_1$ ) is weak, and certainly much weaker than temperature dependence. Mass transfer resistance ( $R_2$  etc) is clearly dependent on gas composition and current load. However, available AC impedance data are not sufficient to quantify this.

# RATE PROCESSES IDENTIFIED BY AC IMPEDANCE ANALYSIS IN LSM-YSZ COMPOSITE CATHODES

(based on van Heuveln et al. and Jørgensen and Mogensen)

Freq(Hz)	$E_{act}$ (kJ/mol)	$p_{O_2}^{-x}$	$R(\Omega\text{-cm}^2)$	Main influence	Process
$10^2\text{-}10^4$	$\sim 100$	0	$<0.01$	microstructure incr w/thickness	transp [O] or $O^{2-}$ between LSM/YSZ
$10^{-1}\text{-}10^4$	$\sim 100$	0.15- 0.5	$R_1=$ 0.02-0.25	freq T-dependent decr w/ length TPB decr w/ current load	ads $O_2$ , surf diff [O] charge transf @TPB “activation”(?)
1-10	$\sim 0$	0.5-1	$R_2=0.01\text{-}1$	incr w/ current incr w/ decr $T_{sinter}$	gas-phase diffusion
$<1$	0	0		inductive  or $R_3=0.01\text{-}1$	“activation”(?) rel. to TPB structure  oxidant utilization

NOTE: In cell and electrode modeling, potential losses due to gas-phase diffusion resistance and fuel/oxidant conversion are automatically included. Therefore,  $R_2$  and  $R_3$  are not relevant as input into cell-electrode modeling.

# RATE PROCESSES IDENTIFIED BY AC IMPEDANCE ANALYSIS IN Ni-YSZ CERMET ANODES

(based on de Boer et al., Primdahl and Mogensen, Bieberle et al.)

Freq(Hz)	$E_{act}$ (kJ/mol)	$p_{H_2}^{-x}$	$p_{H_2O}^{-y}$	R( $\Omega$ -cm <sup>2</sup> )	Main factors	Rate Process
$10^3$ - $10^4$	$\sim 80$	0	0	$R_1 =$ 0.3-4	microstr.-sensitive decr w/YSZ size indep. of thickness dep. on ageing	charge trf Ni/YSZ between LSM/YSZ
$10$ - $10^3$	$\sim 0$	low $p_{H_2}$ : 0.1-0.3 high $p_{H_2}$ : 1	1 1	$R_2 =$ 0.1-0.2	incr w/current AC imp. may become inductive	gas-phase diffusion some effect of TPB
0.1-10	$\sim 0$	low $p_{H_2}$ : 0.2	1	$R_3 =$ 0.01	incr w/current AC imp. purely capacitive	gas-phase conversion

NOTE: In cell and electrode modeling, potential losses due to gas-phase diffusion resistance and fuel/oxidant conversion are automatically included. Therefore,  $R_2$  and  $R_3$  are not relevant as input into cell-electrode modeling.

## PART II. ELECTROCHEMICAL INPUT FOR SOFC MODELING

- More than 100 relevant references compiled
- Key papers identified and reviewed
- Essentially, SOFC modeling started in 1990
  - significant activity still going on in Europe, but most results not published
- Electrochemical input described in the literature is very rudimentary.  
(probably, most relevant data for scale-up are proprietary and design-specific.)

## A review of the modeling work for SOFC (pre-SECA)

Model developer	Design type	Approach in modeling	Limitations of the model
Debenedetti and Vayenas Massachusetts Institute of Technology (1983)	Monolithic co, cross and counter flow	Steady state model. Heat-, mass- and charge balances solved for unit cells of CSTR type. 2D model	Neglected conductive heat transfer in solid parts of the cell. Adiabatic cell. Neglected activation and diffusion terms. Only H <sub>2</sub> utilized as a fuel.
Ahmed, McPheeters and Kumar Argonne National Laboratory (1993)	Monolithic cross flow	Steady state model. Heat-, mass- and charge balances formulated for homogenized unit cells. 2D model	Neglected conductive heat transfer in solid parts of the cell. Adiabatic cell. Neglected activation and diffusion terms. Only H <sub>2</sub> utilized as a fuel.
Karoliussen Norway Institute of Technology (1993)	Planar co, cross and counter flow the model is flexible with respect to the geometry of the fuel and air channels	Steady state model. Heat-, mass- and charge balances formulated for homogenized unit cells. Internal reforming in the cell. 3D model	Reforming kinetics is only valid for certain anode material. Diffusion losses are neglected.
Achenbach Research Centre Julich (1994)	Planar co, cross and counter flow the model is flexible with respect to the geometry of the fuel and air channels	Time dependent model. Heat-, mass- and charge balances formulated for homogenized unit cells. Internal reforming in the cell. 3D model	Reforming kinetics is only valid for certain anode material. Kinetics of hydrogen oxidation is only valid for certain anode material.
Hendnksen Risoe National Laboratory (1996)	Planar co, cross and counter flow the model is flexible with respect to the geometry of the fuel and air channels	Steady state model. Heat, mass- and charge balances formulated for homogenized unit cells. Internal reforming in the cell. 3D model	Reforming kinetics is only valid for certain Anode material.
Costamagna Genova University (1998)	Planar circular cell Radial gas flow	Steady state model. Heat-, mass- and charge balances formulated for homogenized unit cells. 2D model	Only H <sub>2</sub> utilized as a fuel.

# CELL and STACK MODEL

## Basic options for simplification

- one point model (T averaged,  $u_{f,ox}$  assumed)

$$E = E_{eq,in} - u_f i_{max} Z_{avg}(T_{avg}) A \quad (1)$$

$$eff = E u_f (i_{max} A) / (\Delta H / nF) \quad (2)$$

- T-dependence of local impedance (2D)

$$E = E_{eq,local} - Z_{local}(T) i_{local} \quad (3)$$

$$q_{local} = -i_{local}^2 Z_{local} + (T \Delta S / nF)_{local} i_{local} \quad (4)$$

$$\text{local heat balance (2-D + b.c.)} \quad (5)$$

$$\text{efficiency (eff) by integration of } i \quad (6)$$

- T-dependence as well as composition-dependence of local impedance (2-D or 3-D)

$$E = E_{eq,local} - Z_{local}(T, \text{comp.}) i_{local} \quad (7)$$

$$q_{local} = -i_{local}^2 Z_{local}(T, \text{comp.}) + (T \Delta S / nF)_{local} i_{local} \quad (8)$$

$$\text{local mass balance (2-D)} \quad (9)$$

$$\text{local heat balance (2-D or 3-D + b.c.)} \quad (10)$$

$$\text{current continuity (3-D)} \quad (11)$$

$$\text{voltage integration over stack (3-D)} \quad (12)$$

$$\text{efficiency (eff) by integration of } i \text{ (2-D)} \quad (13)$$

$$\text{or voltage (3-D)} \quad (14)$$

# What kind of electrochemical input is needed?

- Depends on the scale of the model, therefore on **level of modeling**

level 1	system	modular
level 2	stack	3-D
level 3	(a) cell as layer in stack	2-D
	(b) gas channel/interconnect	2-D or 3-D
level 4	porous electrode	1-D
level 5	materials properties	1-D and molecular

- Of interest for **SOFC scale-up modeling** are :

level 2	stack	(2D/3D CFD and thermal modeling)
level 3 (a)	cell as layer in stack	(2D)
	(b)	gas channel/interconnect profile (2D/3D)

- Of interest for **optimizing electrode microstructure** are :

level 3 (b)	gas channel/interconnect profile	(2D/3D)
level 4	porous-electrode model	(1D/2D)



Two types of  
**electrochemical input needed for SOFC modeling**

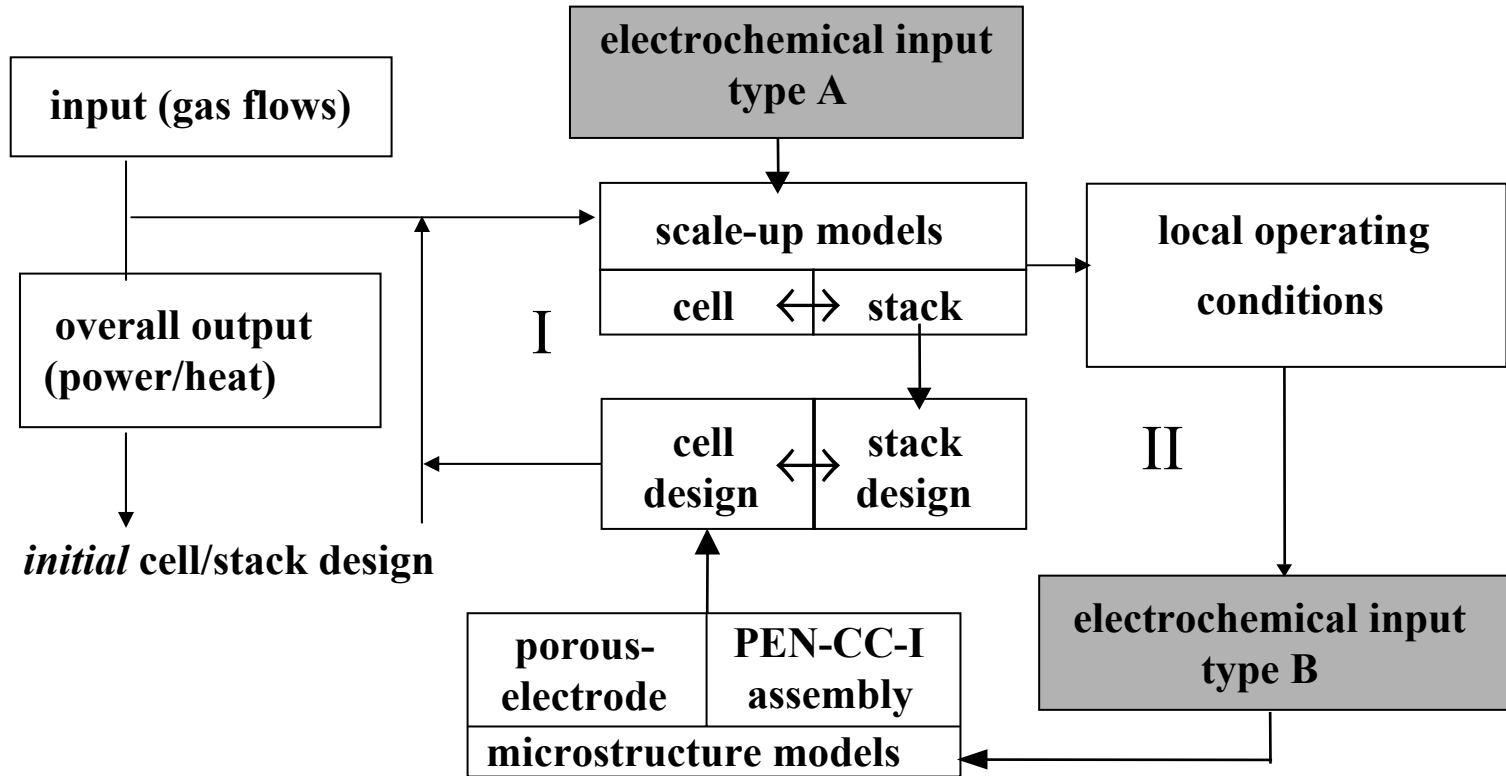
Type A. Input for scale-up modeling of cells and stacks

- \* *need not be detailed*, mechanistically
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Type B. Input for modeling electrode performance as f (microstructure)

- \* may need to contain kinetic (mechanistic) and diffusion details
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- \* has a larger “generic content”

## Flow sheet for SOFC design/performance modeling showing electrochemical input

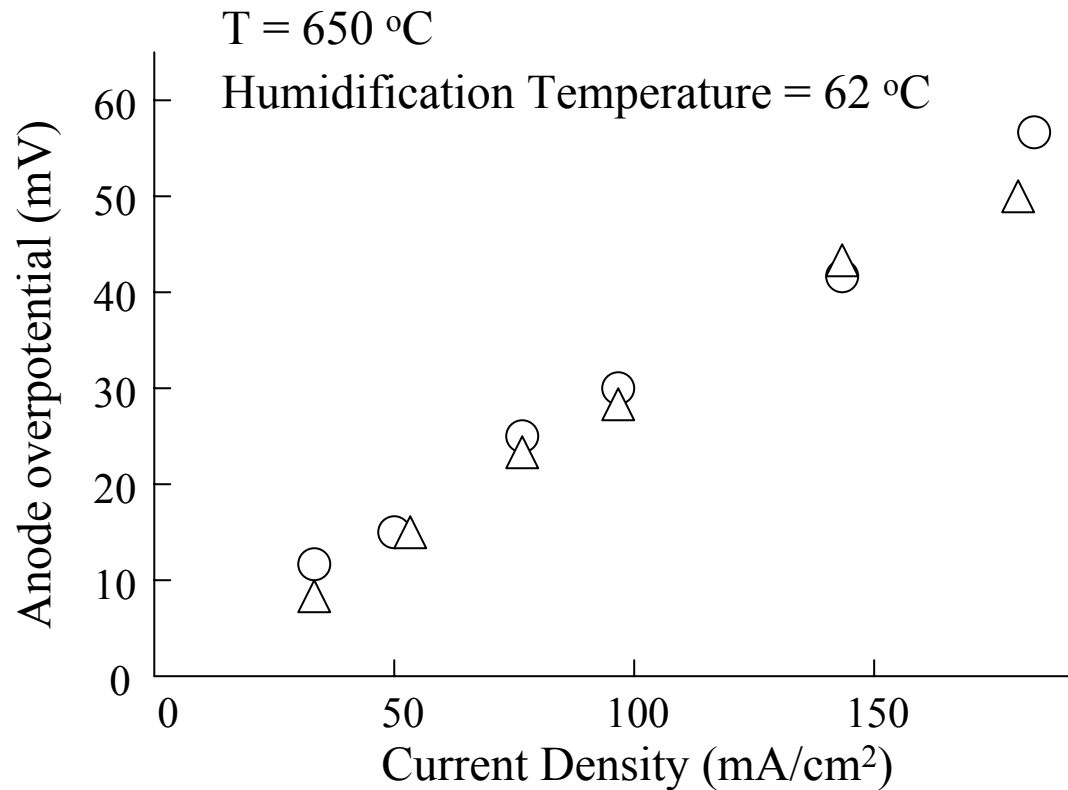


Design process starts from the left and proceeds through cell+stack iteration I, then electrode+cell iteration II within iteration I (if greater accuracy is needed)

## Type-A Electrochemical Input

- Cell and Stack Modeling is best served by Type A input.  
But this is *not available in the SOFC literature* – at least not in ready-to-use form.
- As an example of this type of input, correlations developed by IIT from polarization measurements on small MCFC test cells are shown.  
Test cells must operate at small utilization and have same cell geometry, materials and electrode microstructure as the full-scale stack.
- In well-performing fuel cells (>500C) , the I-E “curve” is nearly linear.
- Therefore, a “DC impedance”,  $Z$ , can be assigned to each electrode.
- The  $Z$  values of each electrode can be correlated with gas composition and temperature.

H <sub>2</sub>	CO <sub>2</sub>	N <sub>2</sub>	He
20	20	60	--
20	20	--	60



Example of Quasi-Linear Electrode (Anode) Performance Characteristic

## Example of Linear Regression Analysis of Anode Data (MCFC)

$$z_{AN} = A \exp(Q/RT)$$

$z_{AN}$  = Anode Resistance at 160 mA/cm<sup>2</sup> (kcal/g-mol)

Gas (Dry)			Q (kcal/g-mol)
H <sub>2</sub>	CO <sub>2</sub>	N <sub>2</sub>	
80	20	--	14.5 ± 1.2
40	20	40	10.9 ± 3.6
40	40	20	14.8 ± 0.95
20	20	60	12.8 ± 1.1
10	20	70	12.0 ± 0.64

Humidification Temperature = 60-64 °C

## Example of Linear Regression Analysis of Anode Data (MCFC)

$$z_{AN} = A(H_2)^a(CO_2)^b(H_2O)^c$$

$z_{AN}$  – Anode Resistance at 160 mA/cm<sup>2</sup> (ohm-cm<sup>2</sup>)

Temperature (°C)	a	b	c
600	-0.23 ± 0.01	0.17 ± 0.02	-2.4 ± 0.1
650	-0.45 ± 0.17	-0.33 ± 0.29	-0.8 ± 1.9
700	-0.18 ± 0.19	0.24 ± 0.29	-5.5 ± 0.95

$$z_{AN} = 2.27 \cdot 10^{-5} (H_2)^a (CO_2)^b (H_2O)^c \exp(Q/RT)$$

a	b	c	Q (kcal/g-mol)
-0.42 ± 0.07	-0.17 ± 0.11	-1.0 ± 0.64	12.8 ± 1.2

***NOTE relatively large uncertainties in reaction orders!***

## Type-B Electrochemical Input

- This input is also important, but more detailed than Type-A.
- Essentially important for
  - anode in IR-SOFC and direct HC operation
  - cathode at high utilization
- $R_1$  (high-frequency semi-circle) data from AC impedance measurements may be a first-approximation of kinetic resistance
- This information must be combined with porous-electrode modeling to obtain realistic estimates of polarization,  $\text{CH}_4$  conversion, etc.

# Porous Electrode Model:

## 1-D macro-homogenous porous-electrode

### (1) mass balance

$$D_{CH_4, m}^E \frac{d}{dx} \left[ \frac{\frac{dC_{CH_4}}{dx}}{1 + 2X_{CH_4}} \right] - R_{ref} = 0$$

$$D_{CO, m}^E \frac{d}{dx} \left[ \frac{\frac{dC_{CO}}{dx}}{1 - 2X_{CO}} \right] + R_{ref} - R_{shift} = 0$$

$$D_{H_2, m}^E \frac{d}{dx} \left[ \frac{\frac{dC_{H_2}}{dx}}{1 - 0.5X_{H_2}} \right] + 3R_{ref} + R_{shift} - \frac{\nabla \cdot i_2}{2F} = 0$$

$$D_{H_2O, m}^E \frac{d}{dx} \left[ \frac{\frac{dC_{H_2O}}{dx}}{1 + X_{H_2O}} \right] - R_{ref} - R_{shift} + \frac{\nabla \cdot i_2}{2F} = 0$$

$$D_{CO_2, m}^E \frac{d}{dx} \left[ \frac{\frac{dC_{CO_2}}{dx}}{1 - 2X_{CO_2}} \right] + R_{shift} = 0$$



## Porous Electrode Model: cont.

**(2) Charge balance and electrode kinetic expression:**

$$\nabla \cdot \mathbf{i}_1 + \nabla \cdot \mathbf{i}_2 = 0$$

$$\nabla \cdot \mathbf{i}_2 = ai_0 \left[ \frac{C_{H_2}}{C_{H_2,b}} \left( 1 + \frac{\alpha_c F \eta_s}{RT} \right) - \frac{C_{H_2O}}{C_{H_2O,b}} \left( 1 - \frac{\alpha_c F \eta_s}{RT} \right) \right]$$

**(3) Heat balance:**

$$\lambda_{avg} \frac{d^2 T}{dx^2} + \frac{i_1^2}{\sigma} + \frac{i_2^2}{\kappa} + \eta_s \nabla \cdot \mathbf{i}_2 - \frac{(\nabla \cdot \mathbf{i}_2) Q_A}{2F} - R_{ref} Q_{ref} = 0$$

## CH<sub>4</sub>-H<sub>2</sub>O Reforming rate kinetics

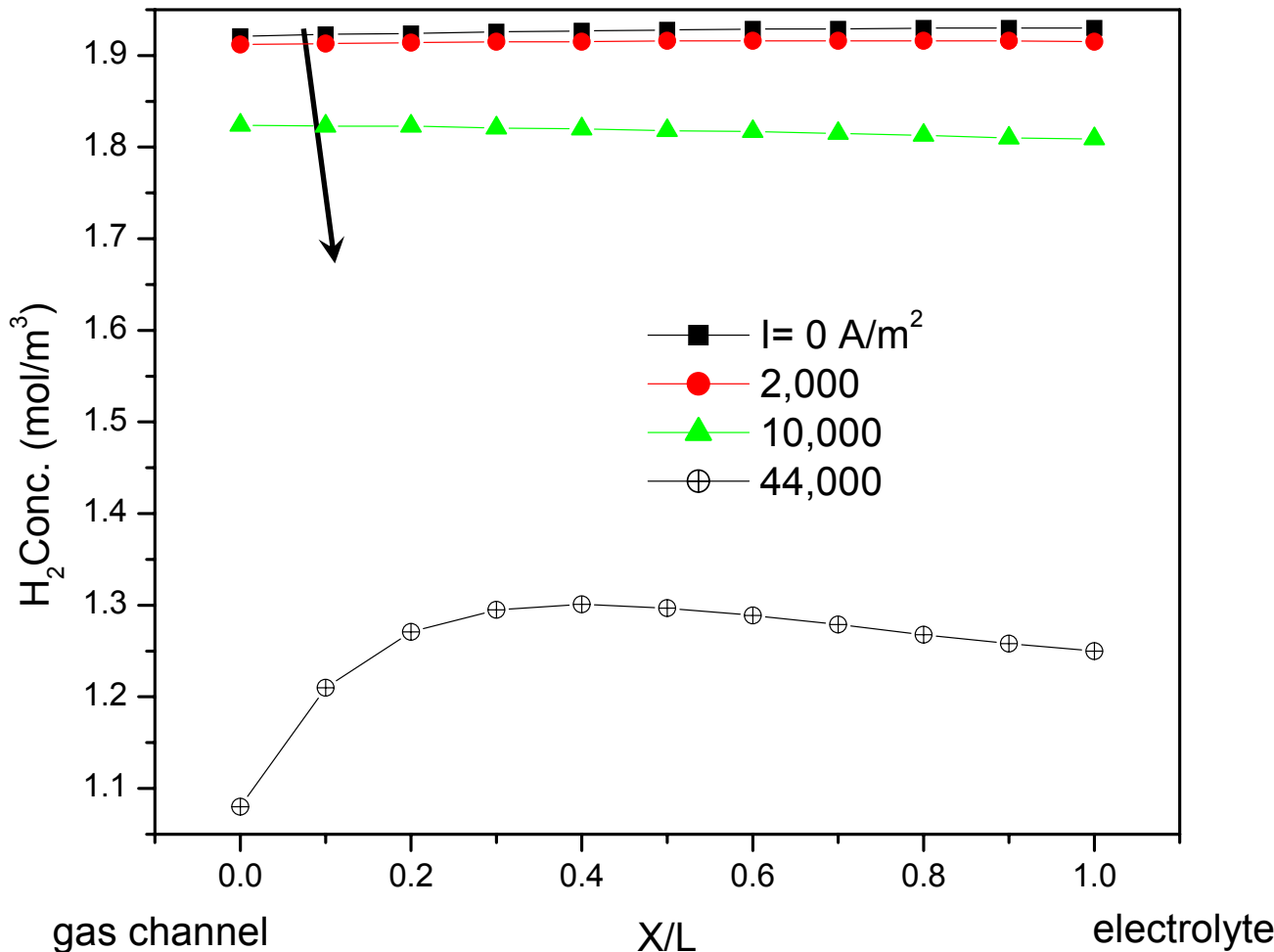
$$r = k p_{CH_4}^\alpha p_{H_2O}^\beta \quad \text{where} \quad k = A \exp\left(-\frac{E}{RT}\right)$$

Authors	$\alpha$	$\beta$	A	E
Lee, et al	1	-1.25	12.09 kmol kg <sup>-1</sup> <sub>Ni</sub> s <sup>-1</sup> Pa <sup>0.25</sup>	9.85×10 <sup>4</sup> kJ/kmole
Parsons, et al	1.25	0	1.43 mol m <sup>-2</sup> s <sup>-1</sup> bar <sup>-1.25</sup>	75×10 <sup>4</sup>
Achenbach, et al	1	0	4274 mol m <sup>-2</sup> s <sup>-1</sup> bar <sup>-1</sup>	92×10 <sup>4</sup>
Ødegård	1.20	0	6339 mol g <sup>-1</sup> <sub>Ni</sub> s <sup>-1</sup> atm <sup>-1.20</sup>	58×10 <sup>4</sup>

# Porous-Electrode Modeling of IR-SOFC Anode

## Effect of Gas Composition

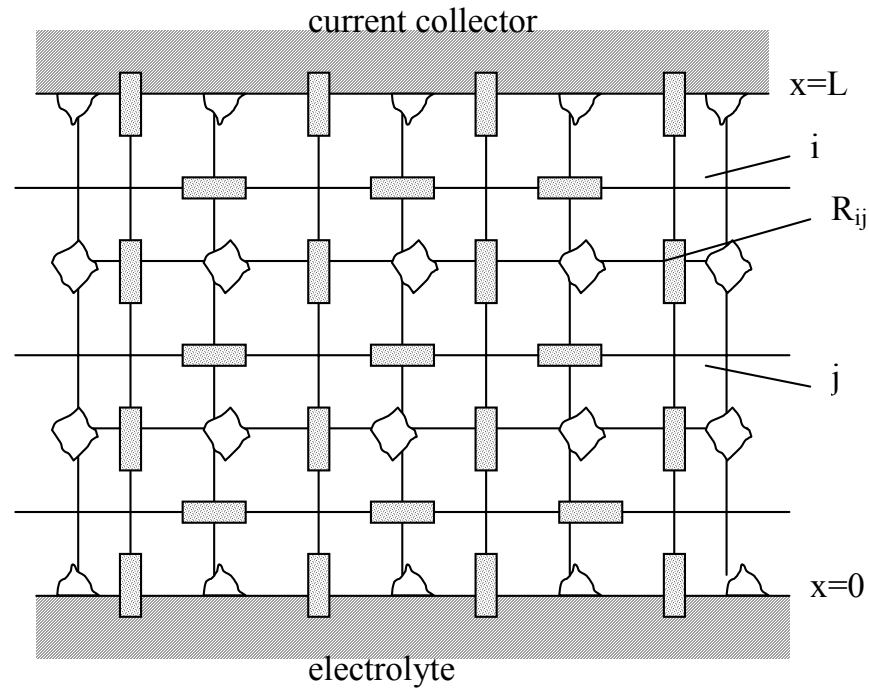
$\phi(\text{gas})=0.2$ ,  $\phi(\text{Ni})=0.284$ ,  $\phi(\text{ZrO}_2)=0.516$



### Type-B Electrochemical Input (cont'd)

- A type of input that is useful in micromodeling of composite electrodes is particulate-connectivity (or Monte-Carlo) electrochemical modeling.

## Particulate Connectivity Model



A schematic presentation of the composite SOFC electrode. Current collectors are placed at both sides of the lattice. Particles  $i$  and  $j$  are electrically connected via the resistor  $R_{ij} = \sigma_{ij}^{-1}$ , which depends on the kind of particles occupying these sites. (From Sunde)

## PART III.

### OVERALL RECOMMENDATIONS FOR SECA MODELING STRATEGY

- Systematic collection of Type-A experimental data for two purposes:
  - Direct use in scale-up modeling
  - Analysis to extract electrode-kinetic or reforming-kinetic data
- Correlation of  $R_1$  data from AC impedance measurements (“laboratory-specific”) with electrode microstructure.  
Information such as temperature dependence, gas composition dependence may be shared by SECA community for advancement of the technology
- Application of porous-electrode and composite-electrode (Monte-Carlo type) modeling for microstructure optimization

comments welcome !

to

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