

# Mechanical/Thermal Energy Storage & Recovery – A Case for High Performance Turbomachinery Design

2020 Thermal, Mechanical, and Chemical  
Energy Storage (**TMCES**) Workshop  
2/4/2020

Louis M. Larosiliere  
Elliott Group



# Message

- Turbomachines and turbomachinery systems are a key element in many energy storage schemes, and improvements in their performance and functionality have a direct link to techno-economic viability.
- A wide array of turbomachinery aero/mechanical arrangements can potentially enable practical realization of various energy storage thermodynamic cycles.
- Leveraging systems-level integrated thermodynamic cycle optimization coupled with turbomachinery topological design synthesis methods and practices from turbomachinery OEMs, may lead to significant advancements.
- Energy storage R&D programs should not only focus on “*off-the-shelf*” turbomachinery components, but also motivate the development of *novel and improved turbomachinery architectures* for maximum system benefit.

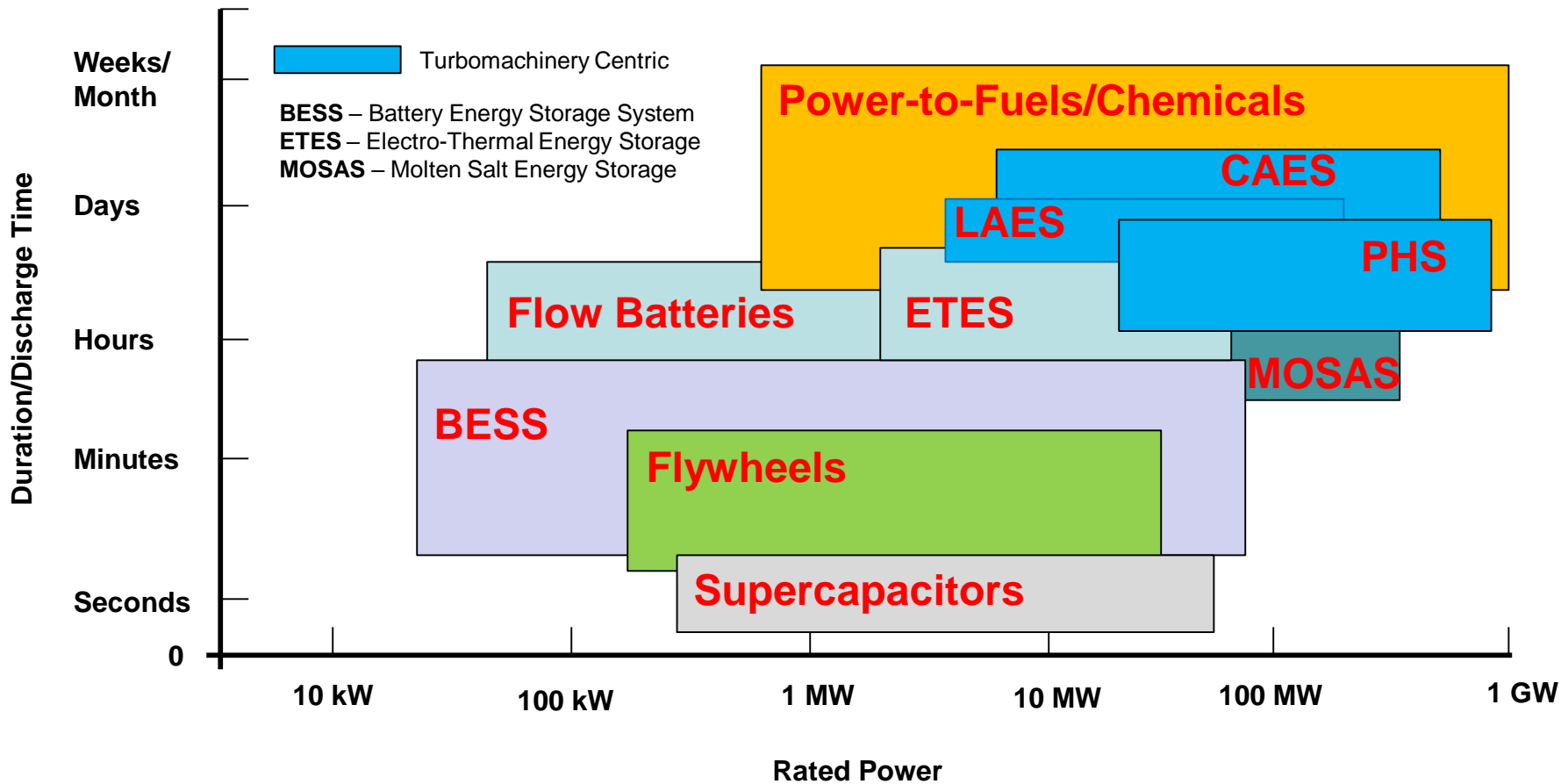
And the wheel keeps turning - innovative turbomachinery designs matter to a reduced-carbon energy supply chain!



# **Backdrop: Energy Storage & Turbomachinery Performance**



# Variety of Grid-Scale Storage Solutions: Off-the-shelf or “Clean Sheet” Turbomachinery?

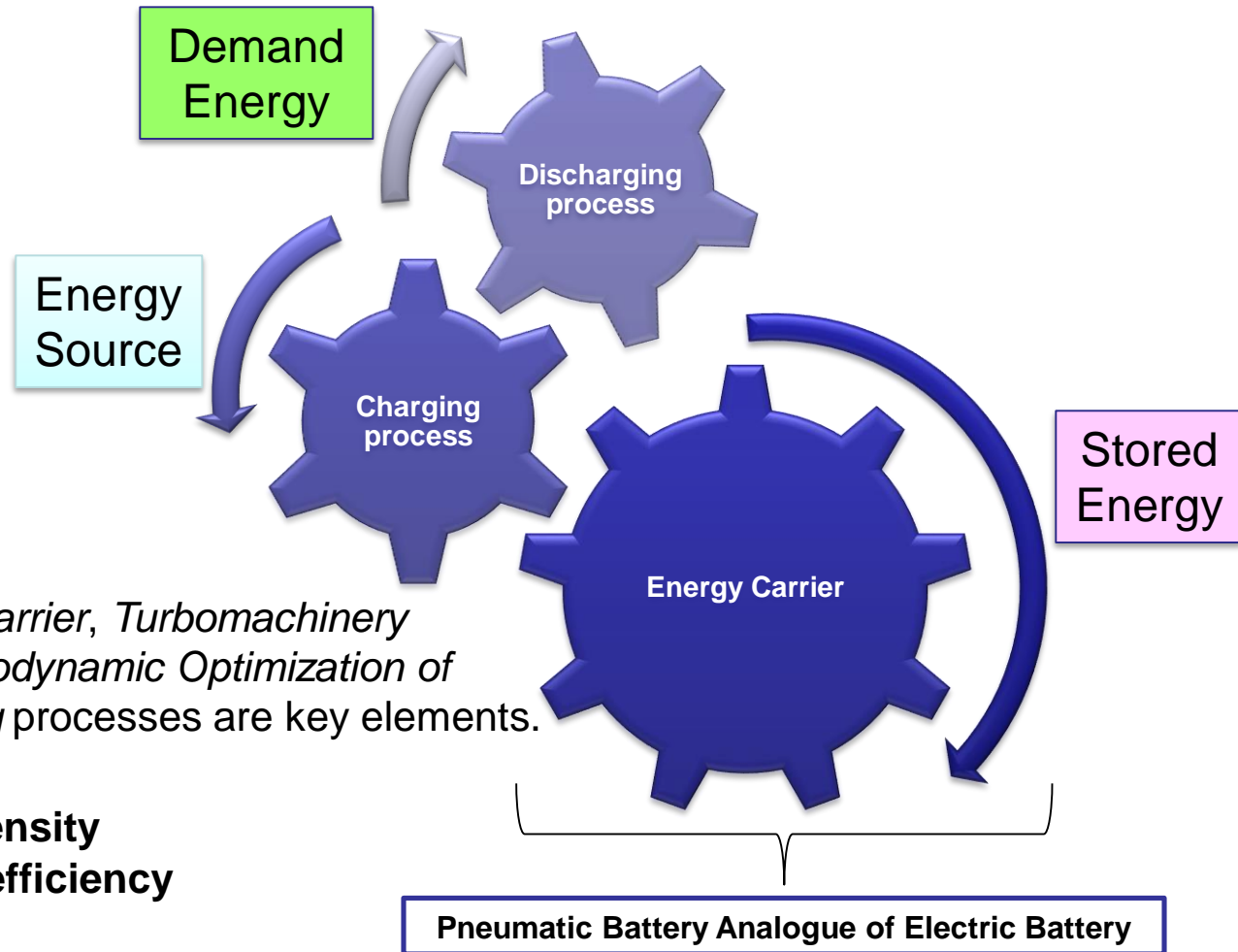


**Energy Storage Affordability:** Balancing the techno-economics of power density, efficiency, and reliability...



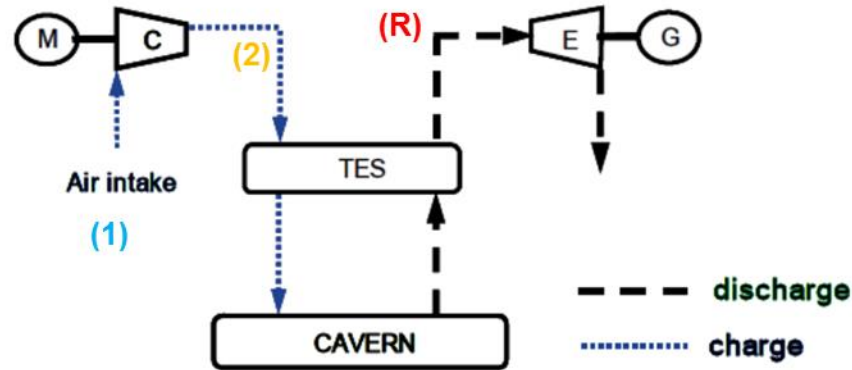
# Turbomachinery Centric Mechanical/Thermal Energy Storage

“Power cycles split into charging & discharging processes”

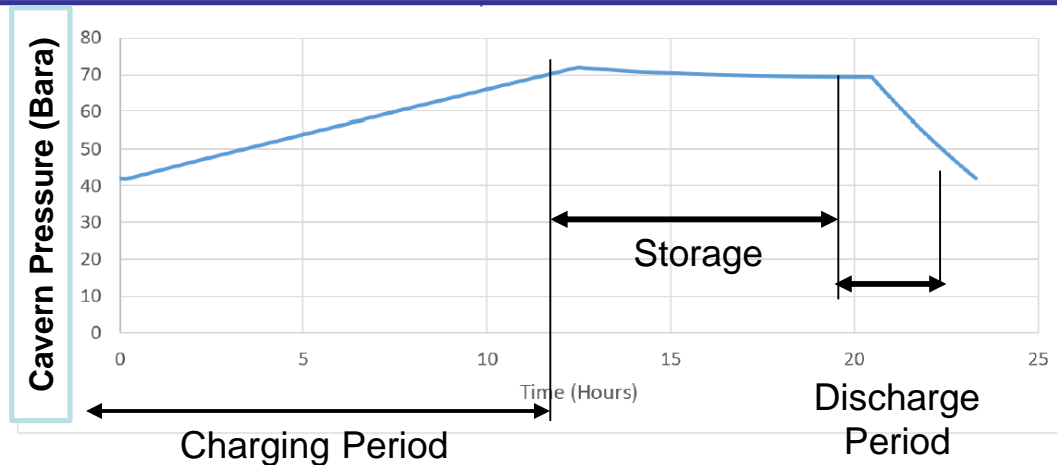


- For a chosen *Energy Carrier*, *Turbomachinery Technology* and *Thermodynamic Optimization of Charging & Discharging* processes are key elements.
- Figures of merit:
  - **High power density**
  - **High storage efficiency**
  - **Affordability**

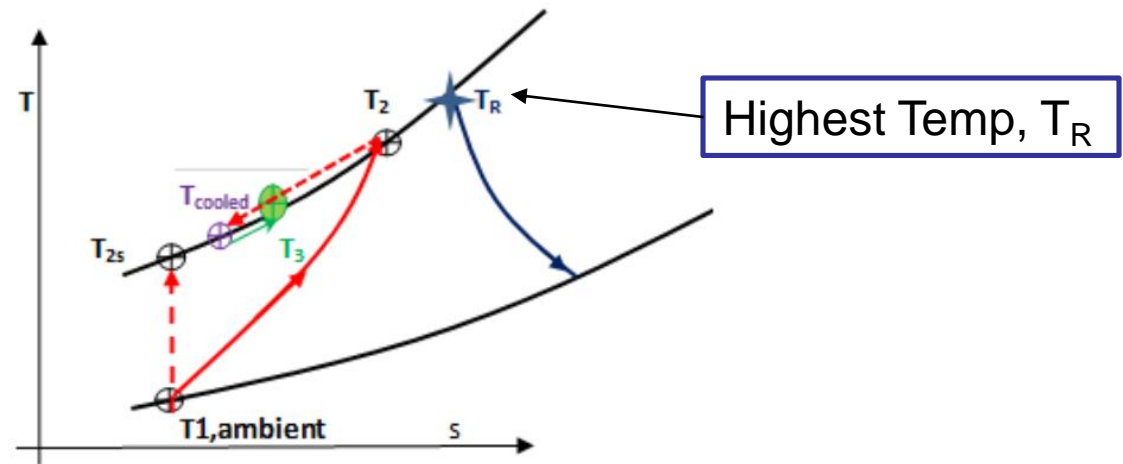
# Basic Principle of Adiabatic CAES: Example of “Split” Brayton Cycle



Idealized Cavern Pressure Variation Profile Over an Operational Cycle



# CAES Thermodynamic Optimization: Importance of Turbomachinery Performance



## Energy Recovery Efficiency:

$$E.R.E. = \frac{\Sigma \dot{W}_{out} \Delta T_{ime\ discharging}}{\Sigma \dot{W}_{in} \Delta T_{ime\ charging} + \dot{Q}_{reheat} \Delta T_{ime\ discharging}}$$

where:

$$\dot{W}_{in} = \dot{W}_{net\ compressor} + \dot{Q}_{auxiliary\ heat\ input}\ f$$

$0 \leq f \leq 1$ ,  $f =$  fraction of time that Auxiliary Reheater is used

Idealized Analysis  
Japikse & Di Bella, 2018

$$R_c = \frac{(T_3 - T_{1,ambient})}{(T_2 - T_{1,ambient})} \qquad R_r = \frac{(T_R - T_3)}{(T_2 - T_3)}$$

$$E.R.E._{net} = \frac{T_R}{T_{ambient}} \frac{B \eta_{turbine} \eta_{compressor}}{A [1 + R_r - R_r R_c]}$$

$$A = (Pr, compressor)^{\left(\frac{k-1}{k}\right)} - 1 \qquad B = 1 - \left(\frac{1}{Pr, turbine}\right)^{\left(\frac{k-1}{k}\right)}$$

# Why High Efficiency Turbomachinery?

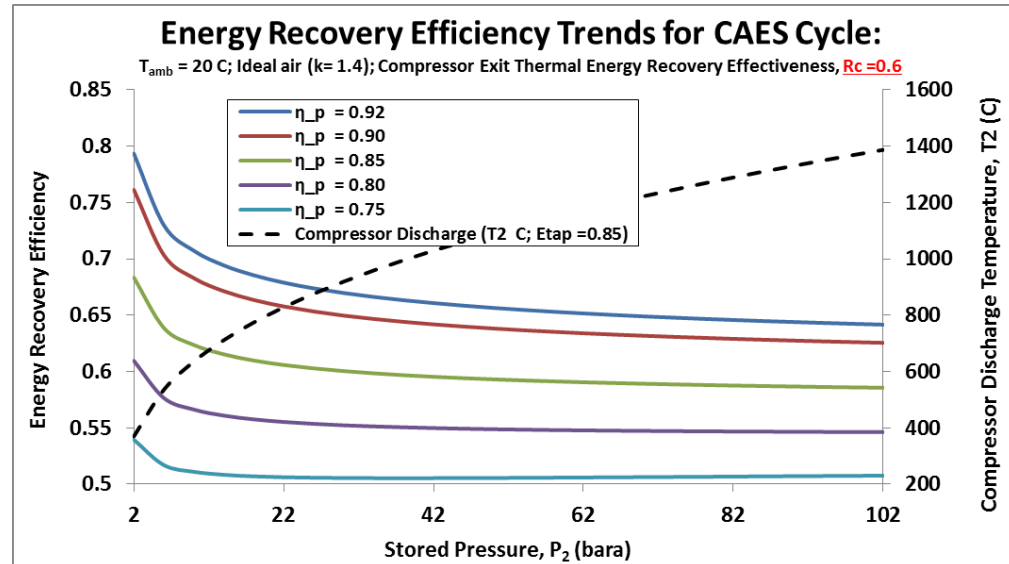
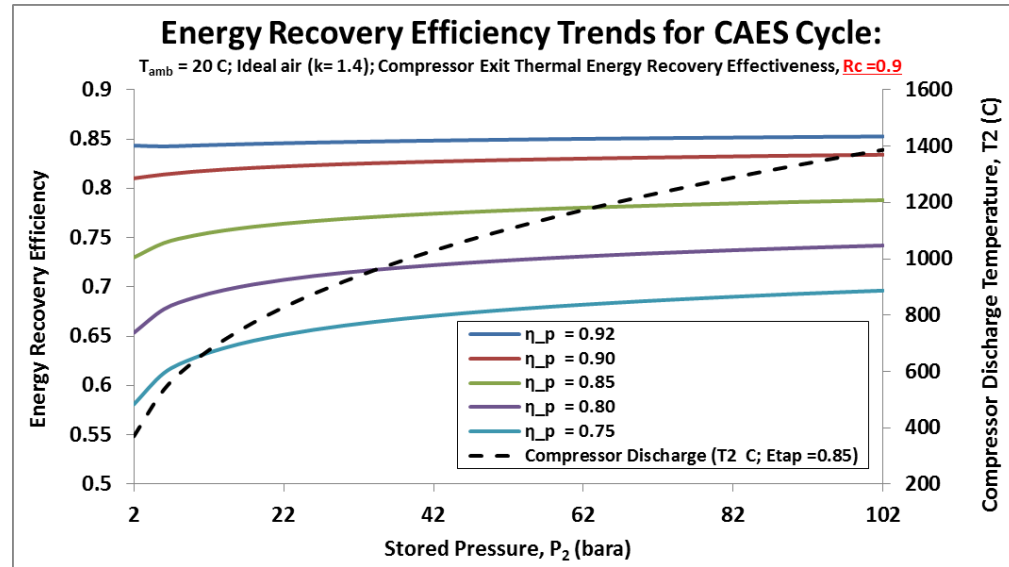
Energy Recovery Efficiency (ERE):

- Ideal air
- No system pressure drop
- No external heating ( $T_R / T_3 = 1$ )

$$ERE = \underbrace{\left\{ 1 + R_c \frac{A}{\eta_c} \right\}}_{\text{Thermal Enhancement}} \underbrace{\frac{B}{A} \eta_c \eta_t}_{\text{Mechanical Storage Efficiency}}$$

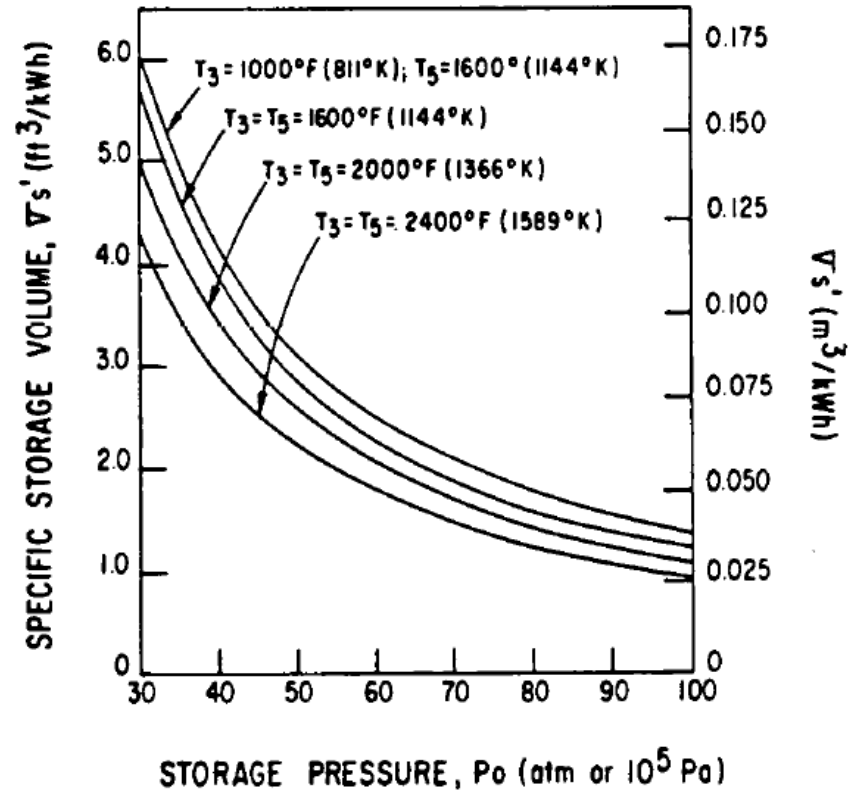
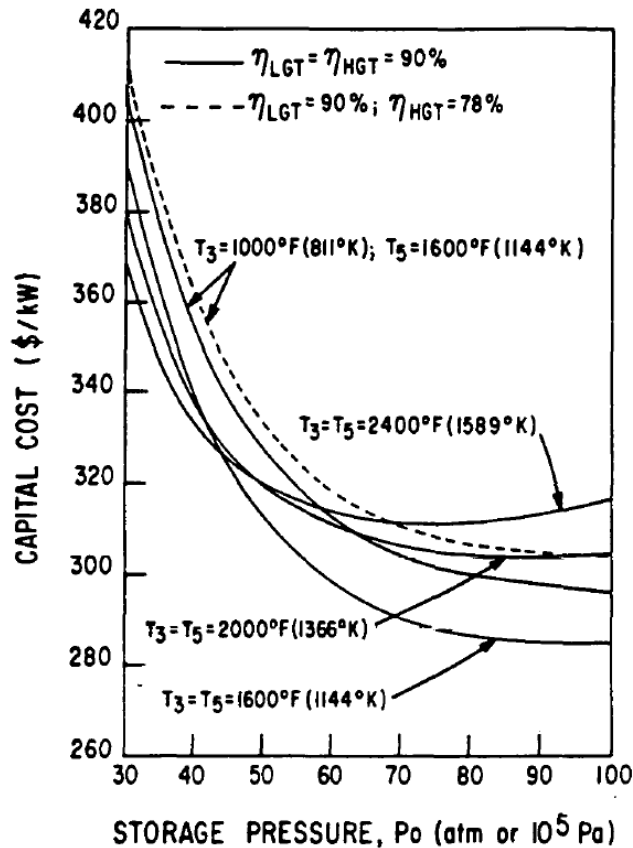
$$\text{If } R_c = \eta_c, \text{ ERE} = \eta_c \eta_t = R_c \eta_t$$

- For turbomachinery polytropic efficiency,  $\eta_p \geq R_c$ , ERE is nearly independent of storage pressure.
- For compressor exit energy recovery effectiveness,  $R_c = 0.6$ , ERE decreases with storage pressure.
- High stored pressure can adversely impact compressor off-design matching and performance





# Design Storage Pressure Impacts Cavern Volume, Turbomachinery Arrangement, and Capital Cost



\* Kartsounes and Kim, 1978, Argonne National Lab



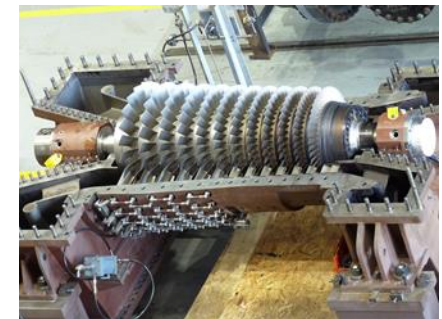
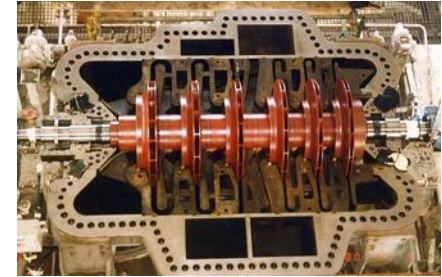
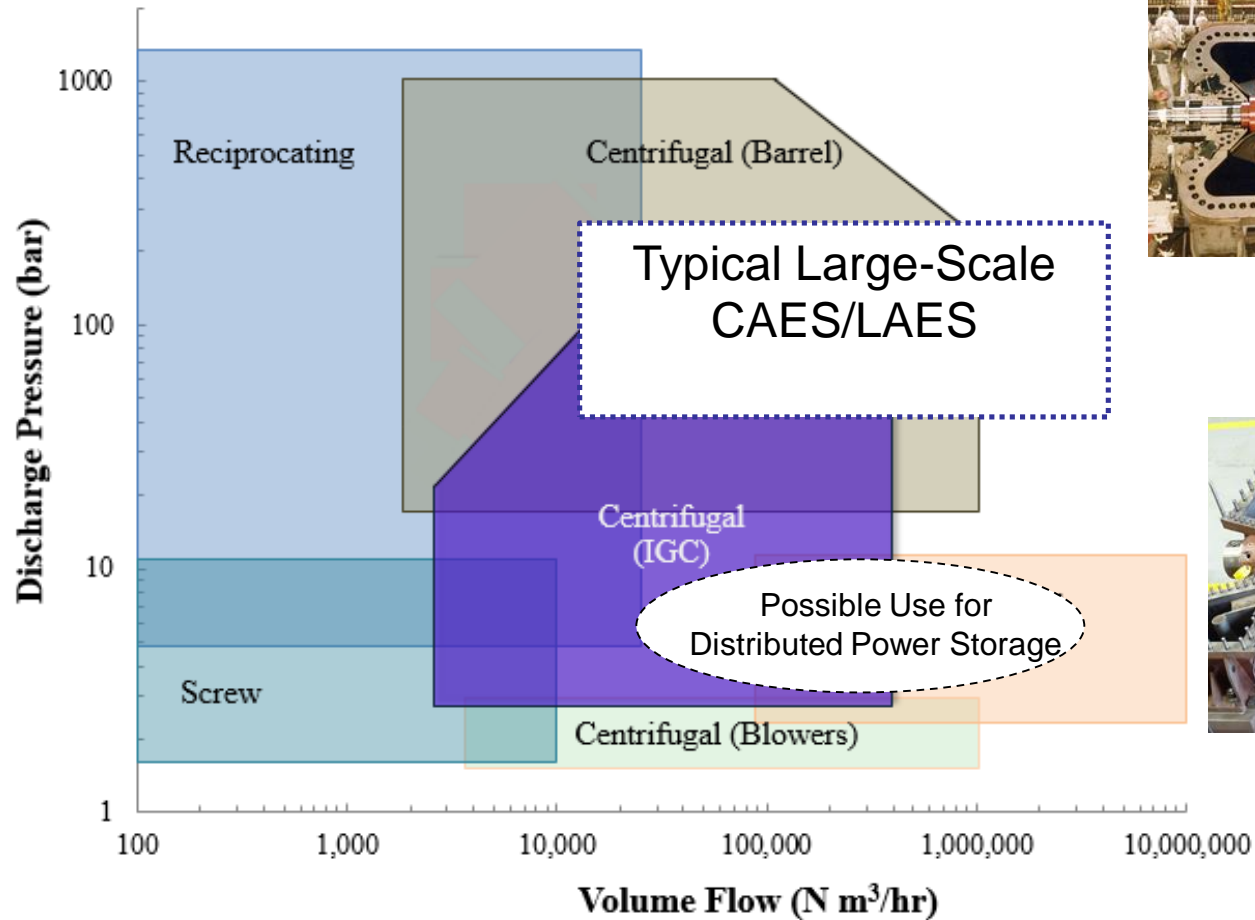
# Some Turbomachinery Design & Development Challenges for TMCES

- System Performance (efficiency) & Operability (variability)
  - Efficient & flexible architectures, including blading shape
  - Off-design performance matching & flow range
- Cyclic Operation
  - Startups & shutdowns
  - Fatigue life
  - Rotary inertia
- High Pressures and Temperatures
  - Materials
  - Clearances, seals, and bearings
  - Thrust management
  - Rotor assembly
  - Equipment protection in hostile environment
- Hostile Environment
  - Internal
  - External
  - Freezing concerns in expander

These challenges are shared by OEMs across various turbomachinery applications sectors!



# Zones of Applicability for Typical Industrial Compressor Types\*



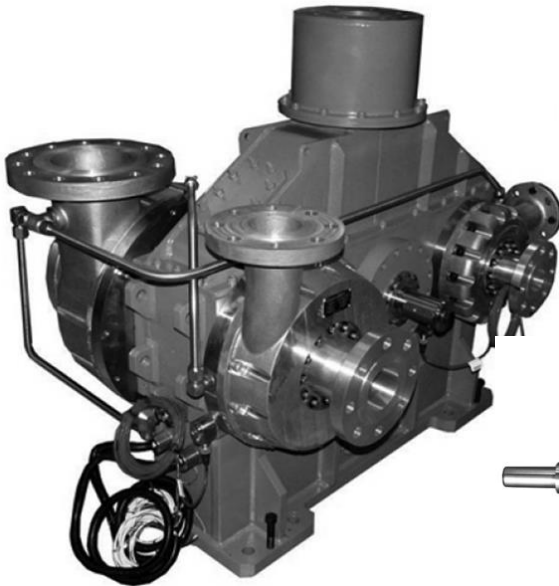
\*Copied from Wygant et al., Asia Turbomachinery & Pump Symposium 2016



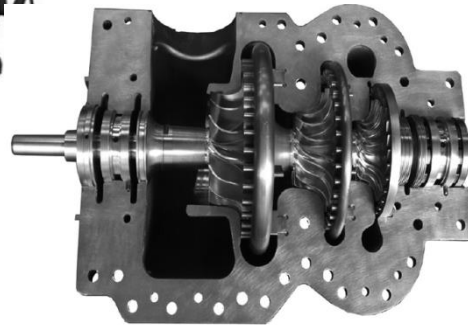
# Turbine/Expander Options

- Typical off-the-shelf turbine options for CAES or high-pressure applications:
  - Two modules on single spool: HPT & LPT
    - HPT modified from axial steam turbine design
    - LPT from a conventional power generation gas turbine engine
- Incremental technology upgrade
  - Integrally Geared Multi-stage Radial Inflow Expander

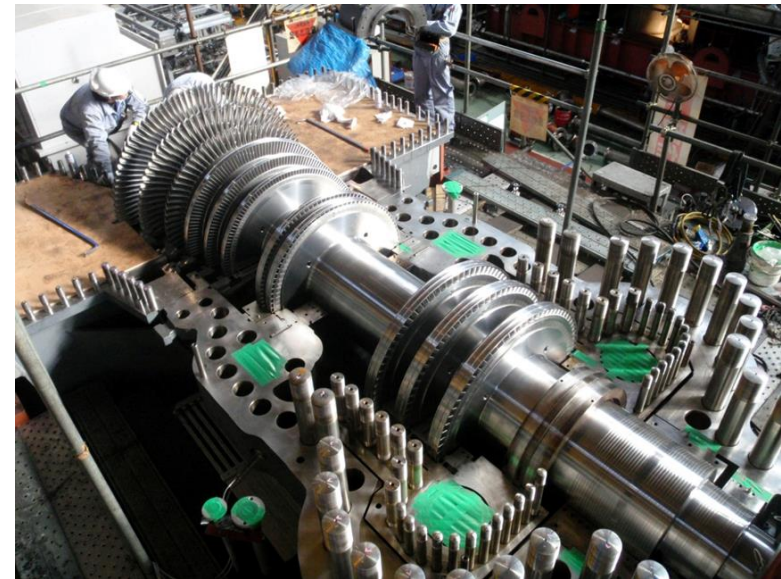
Highview Power Storage



Multi-stage  
Radial Inflow



Elliott Steam Turbine

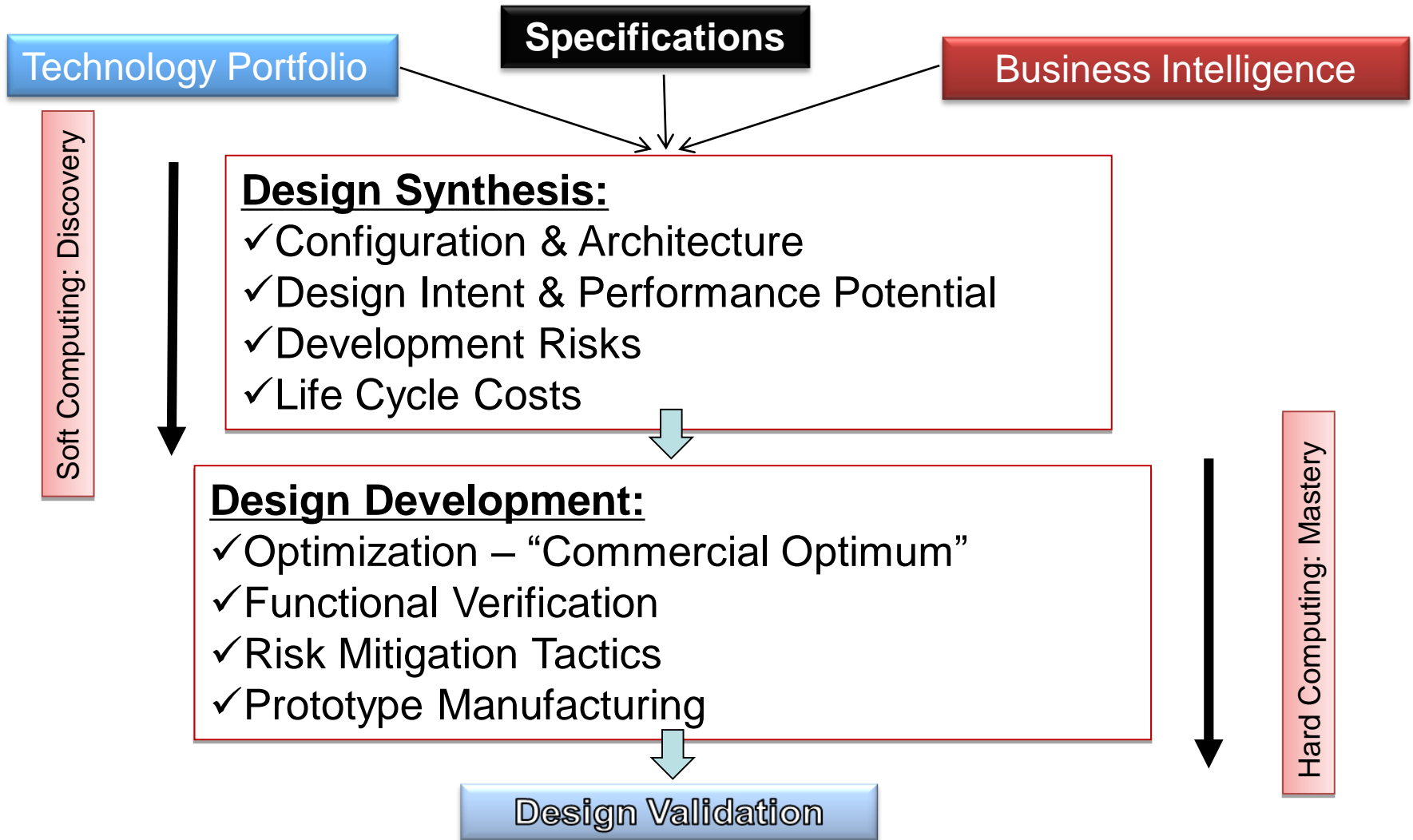


# **Turbomachinery Design Practice in Support of Energy Storage System Development**



# Turbomachinery Design Phases

(from discovery to mastery of a particular solution)



# Similarity Considerations for Compressor Design, Selection & Performance Correlation

## Specified Design Operating Conditions

- Pressure rise or polytropic head,  $h_p$
- Suction volume flow rate,  $Q_0$
- Gas suction speed of sound & kinematic viscosity,  $a_0, \nu_0$
- Impeller mean diameter,  $D_{2m}$
- Impeller structural material specific strength,  $\sigma/\rho_s$
- Rotor shaft speed,  $\Omega$

$$\text{Generalized Dimensionless Specific Speed, } n_i = \frac{\Omega Q_0^{0.5}}{(v_i)^{1.5}}$$

$v_i$  is a set of effective velocities, expressed in terms of specified operating conditions, linked to certain forces which determine the action (kinematic & dynamic) of the machine. For example:

$$v_\sigma = (\sigma/\rho_s)^{0.5} ; v_s = (h_p)^{0.5}$$

## A Few Dimensionless Turbomachinery Operating Conditions:

$$\text{Basic Specific Speed, } n_s = \frac{\Omega Q_0^{0.5}}{h_p^{0.75}} \quad \text{Specific Diameter, } d_s = \frac{D_{2m} h_p^{0.25}}{Q_0^{0.5}} \quad \text{Stress Specific Speed, } n_\sigma = \frac{\Omega Q_0^{0.5}}{(\sigma/\rho_s)^{0.75}}$$

$$\text{Viscosity Specific Speed, } n_\nu = \frac{\Omega Q_0^{0.5}}{(\Omega \nu_0)^{0.75}} \quad \text{Compressibility Specific Speed, } n_a = \frac{\Omega Q_0^{0.5}}{a_0^{1.5}}$$



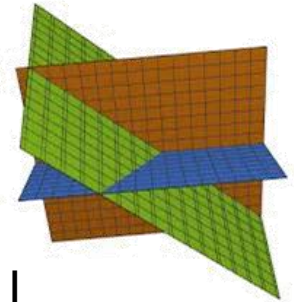


# Broad Statement of the Design Problem

Stage design process can be mathematically characterized as:

$$\begin{array}{ccc}
 \mathbf{n}_i & = & \mathbf{F}_i \quad (p_1, p_2, p_j, \dots, p_m) \\
 \text{Dimensionless} & & \text{Physical Functional} & & \text{Dimensionless Design} \\
 \text{Operating Conditions} & & \text{Relation} & & \text{Parameters}
 \end{array}$$

$$i = 1, 2, \dots, l ; m > l$$



$p_j$  is a set of dimensionless geometric, kinematic, and dynamic design parameters  
 Since  $m > l$ , certain “design choices” need to be made in order to close this underdetermined system.

$\mathbf{F}_i$  is a set of functional relationships between a desired set of design parameters, as dictated by physical balancing principles:

$R_F(\mathbf{W}_F, G(\mathbf{X} : \mathbf{p}_j)) = 0$  - Model Representation of Fluid Dynamics Constraint

$R_S(\mathbf{W}_S, G(\mathbf{X} : \mathbf{p}_j)) = 0$  - Model Representation of Structural Dynamics Constraint

$G(\mathbf{X} : \mathbf{p}_j)$  is the domain boundary geometric shape with geometric coordinates  $\mathbf{X}$  and flow/structural states  $\mathbf{W}_F$  &  $\mathbf{W}_S$

$G(\mathbf{X} : \mathbf{p}_j)$  can be parameterized in terms of the geometric subset of  $p_j$

$\mathbf{W}_F$  &  $\mathbf{W}_S$  are linked to kinematic and dynamic subset of  $p_j$

Determine the set of design parameters and associated geometric shape such that the desired set of design operating conditions is achieved...

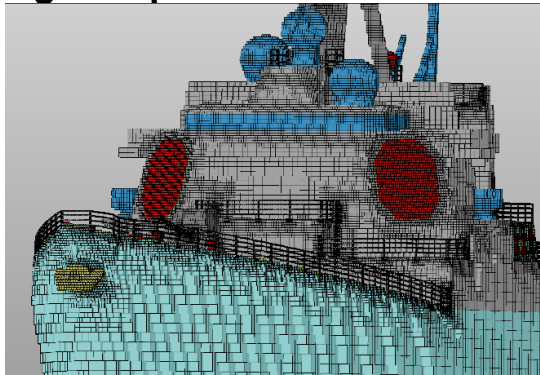




# Geometric Shaping is the Beginning & End of Turbomachinery Design:

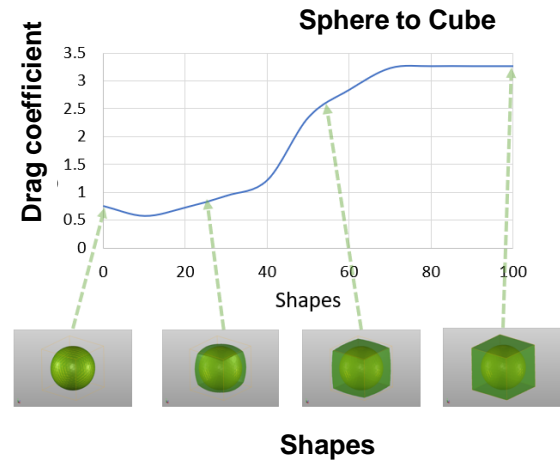
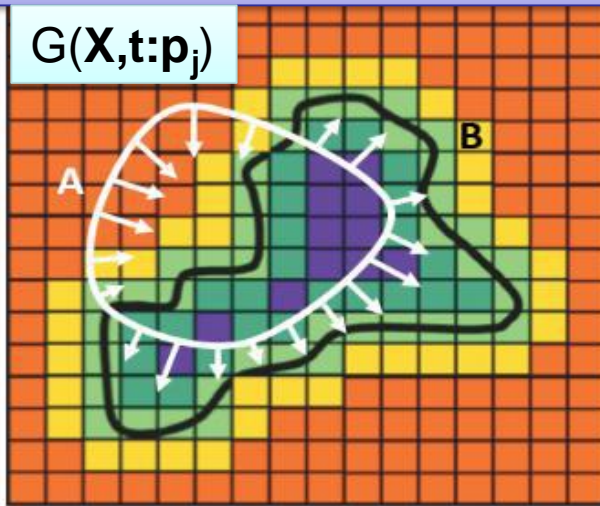
## Digital Geometry & Morphing Between Different Body Shapes

Integer Representation of Geometry as Opposed to Traditional NURBS/BREP Construct



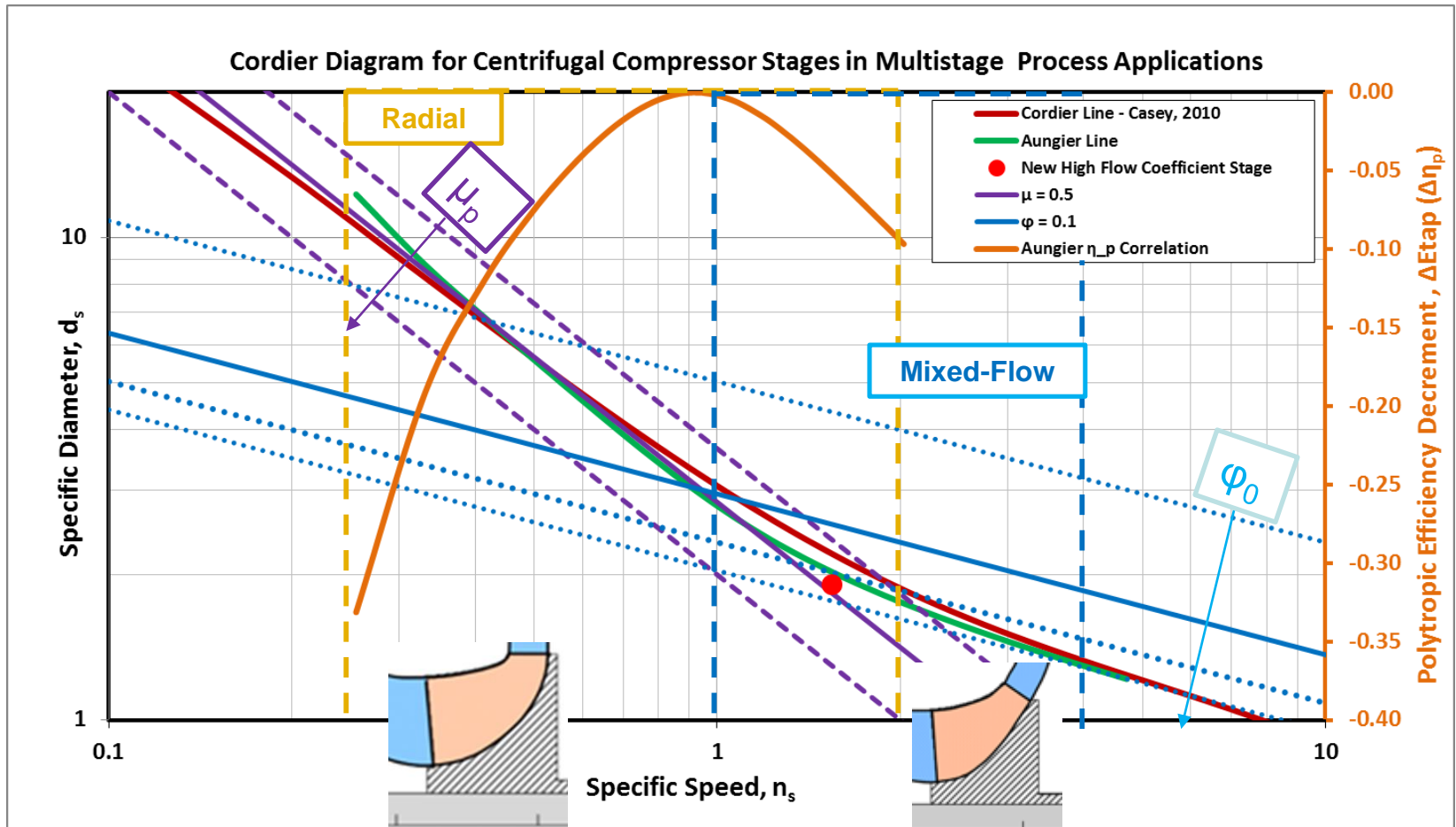
Geometric Morphing Process

$$G(X,t;p_j)$$



- Morphing is based on parametric part representation and can be used as the main process in a solution to the design problem
- Three main step:
  - ❖ Blade Shape Genomic Mapping
  - ❖ Blade Shape Re-parenting
  - ❖ Adaptation of Technological Features

# The Compressor Selection Chart: Cordier Diagram as Solution to a Particular Phase of the Design Problem



# Connecting Thermodynamic Cycle with Turbomachinery Design Selection

## Overall Compressor Basic Specific Speed

$$N_s = \underbrace{\left(\frac{1}{\eta_p}\right)^{1/2}}_{\text{Expected Overall Performance}} \underbrace{\left\{\frac{v_s}{H_p^{5/2}}\right\}^{1/2}}_{\text{Specified Gas \& Thermodynamic Cycle Conditions}} \underbrace{(\Omega\sqrt{P_{sh}})}_{\text{Driver Requirements for Given Application}}$$

$v_s$  – Suction Specific Volume;  $P_{sh}$  – Overall Required Shaft Power;  $H_p$  – Overall Polytropic Head

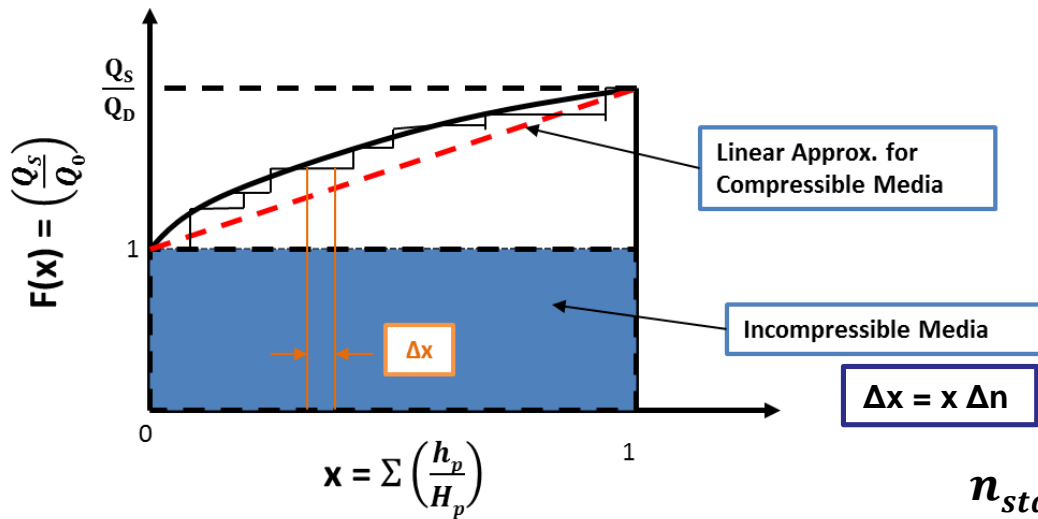
Connecting Overall Specific Speed to Individual Stage Specific Speed:

$$\frac{N_s}{n_s} = \left(\frac{Q_s}{Q_0}\right)^{1/2} \left(\frac{h_p}{H_p}\right)^{3/4} \quad \text{Stage count, } n_{stage, inc} = \left(\frac{n_{s, inc}}{N_s}\right)^{4/3}$$

$Q_0$  – Individual Stage Suction Volume Flow;  $h_p$  – Individual Stage Polytropic Head



# Analogy Between Hypothetical Incompressible & Actual Compressible Multistage Machine

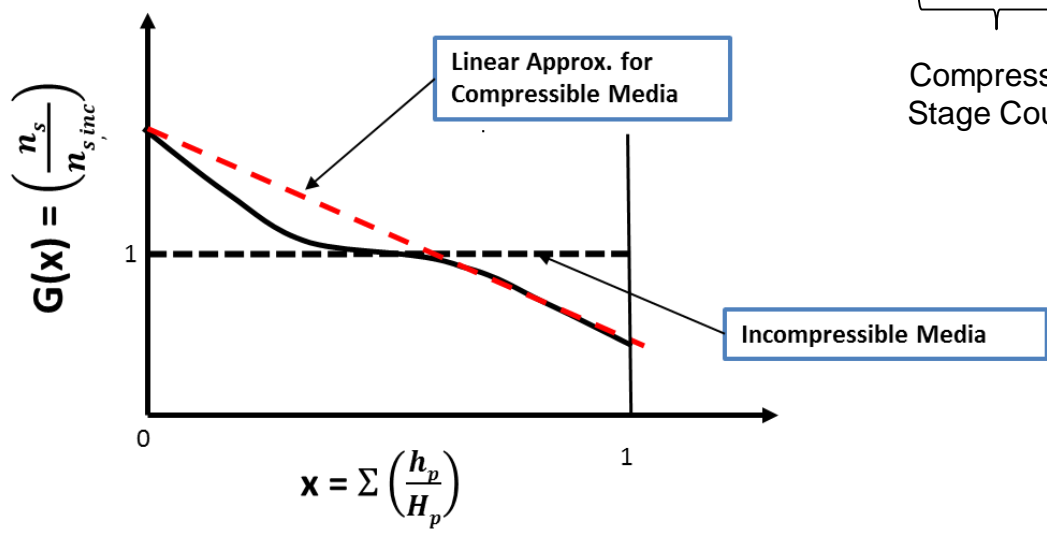


Stage count for equivalent pump with constant specific speed

$$n_{stage, inc} = \left(\frac{n_{s, inc}}{N_s}\right)^{4/3}$$

$$n_{stage} = n_{stage, inc} \int_0^1 \left(\frac{Q_s}{Q_0}\right)^{2/3} \left(\frac{n_s}{n_{s, inc}}\right)^{4/3} dx$$

Compressor Stage Count      Equivalent Pump Stage Count      Compressibility Correction



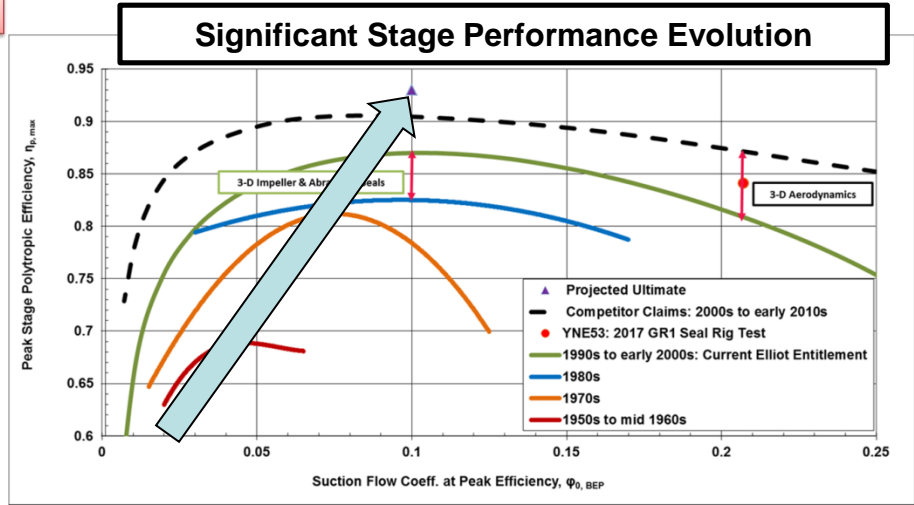
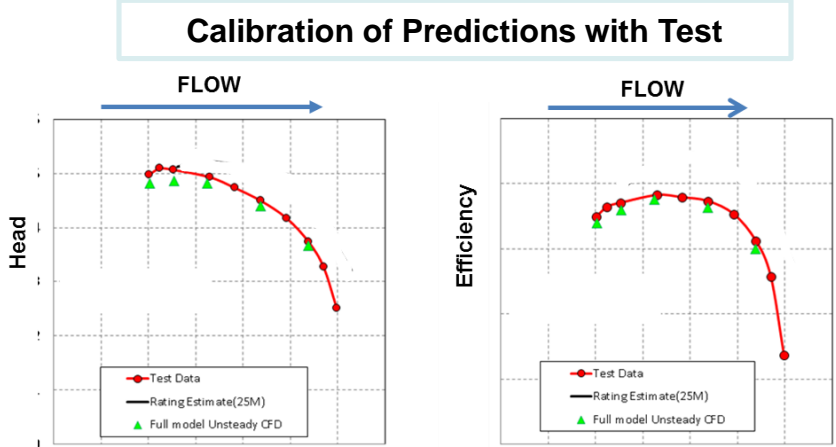
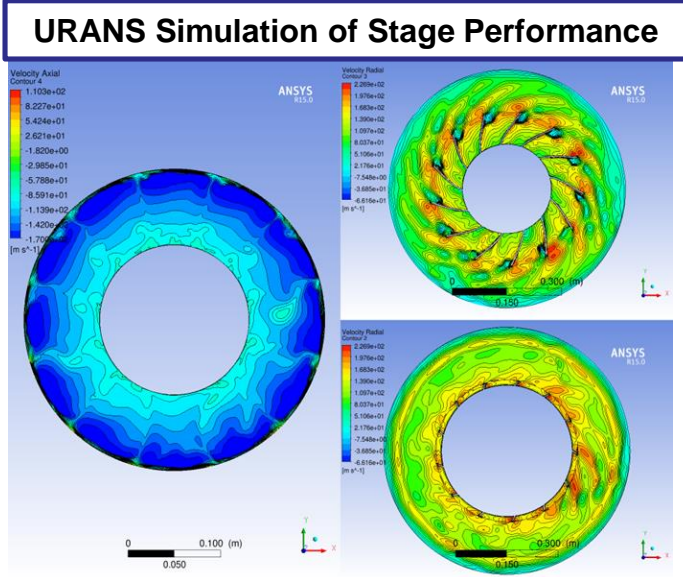
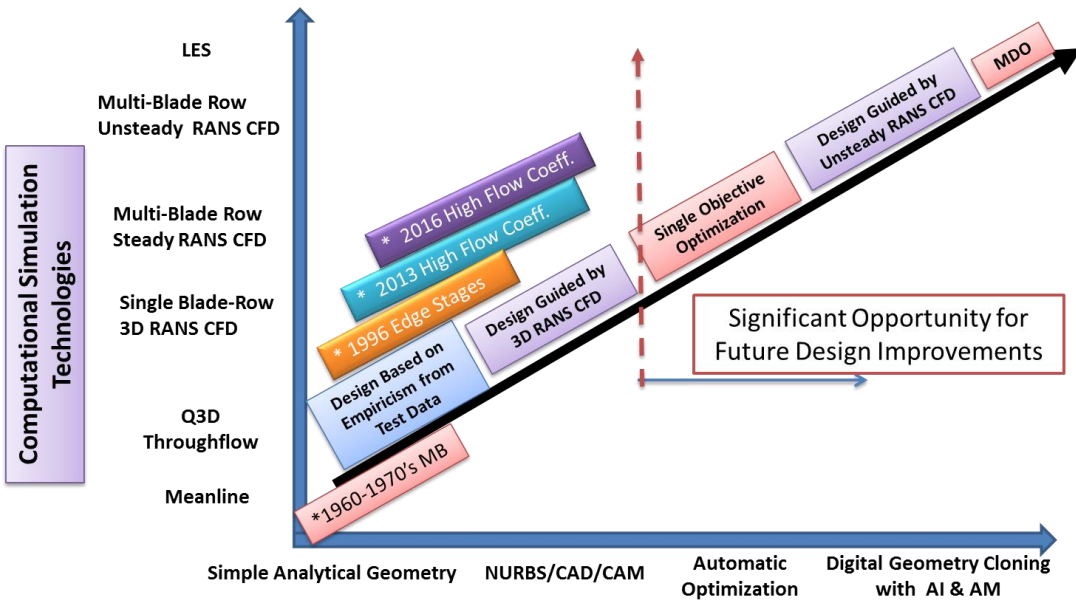
Variation of Impeller Average Diameter

$$D_{2m} = ds \left(\frac{n_s Q_0}{\Omega}\right)^{1/3}$$

$d_s$  from Cordier line given  $n_s$

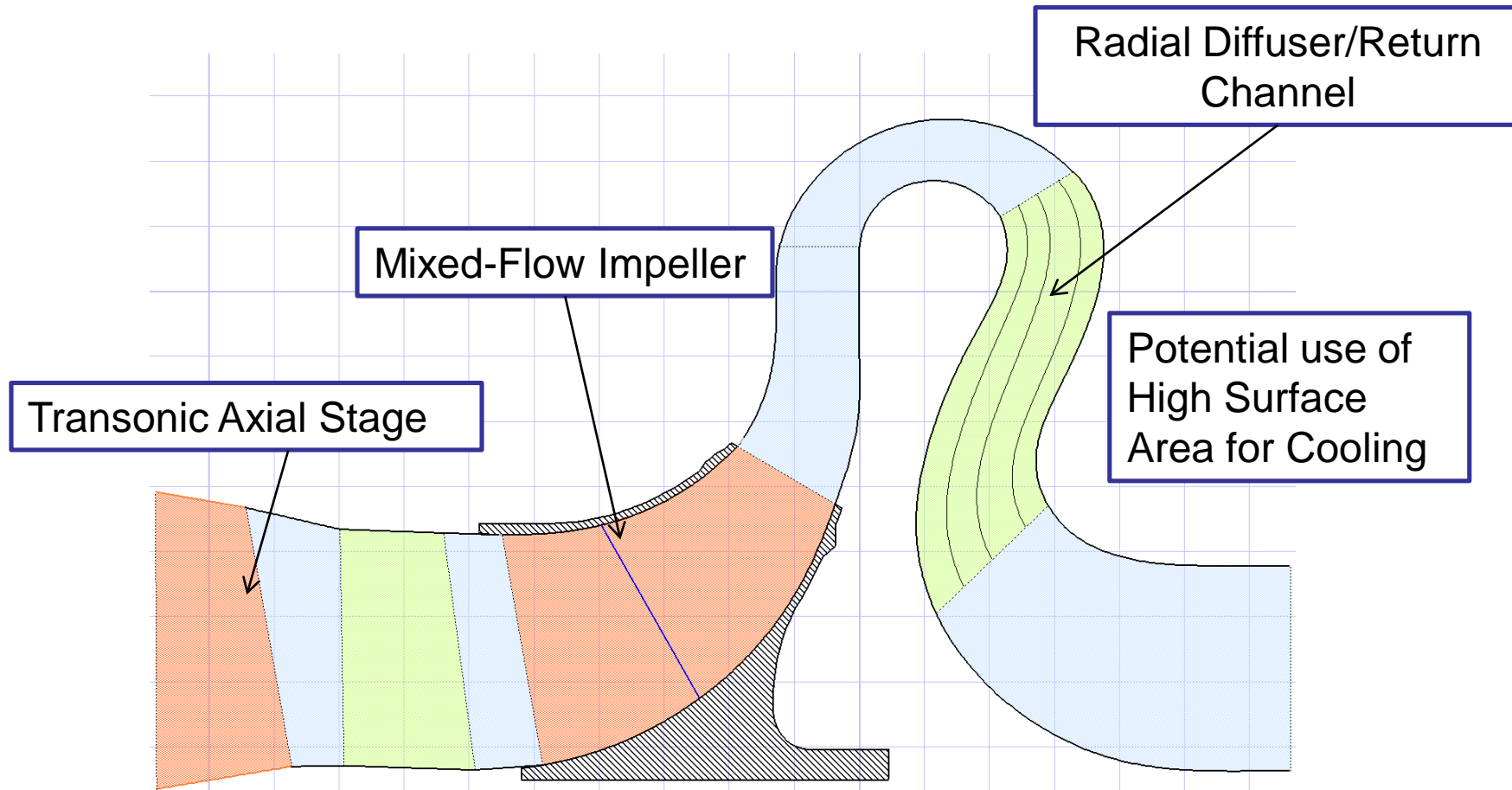


# Well Anchored Design & Simulation Technologies Have Contributed Towards High-Performing Centrifugal Compressors



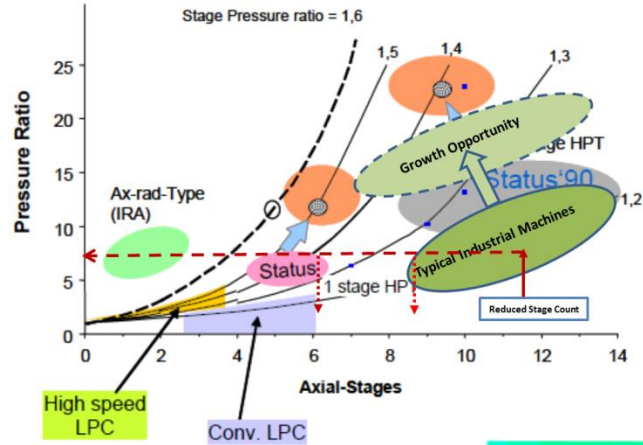


# Efficient High Flow and High Pressure Ratio Compression System: Hybrid Architecture: Axial & Mixed-Flow



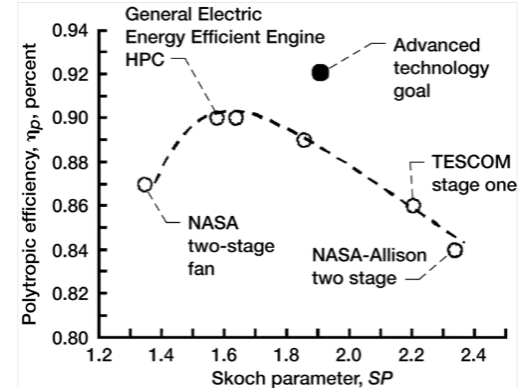
# Improved Design Practice Enables Higher Stage Loadings without Penalizing Performance

Waschka et. al., ISABE-2005-1266



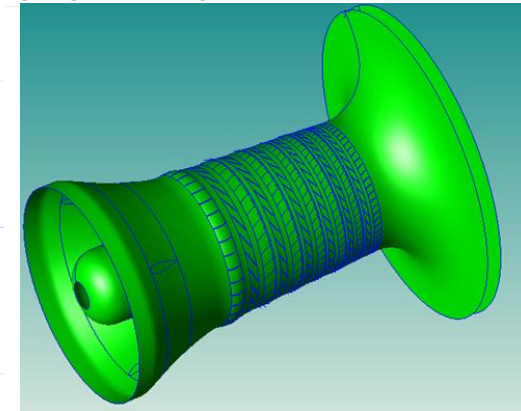
## Similar Re, Specific Flow, and Stall Margin

"Judicious Combination of Geometry and Vector Diagram"

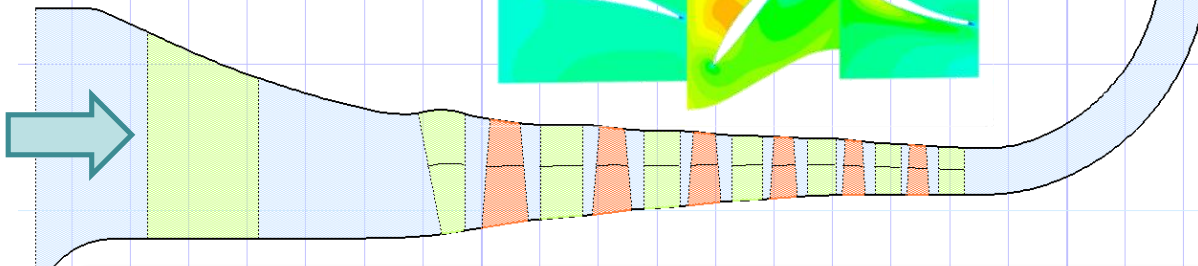


$$SP = \left\{ \frac{\sigma \phi}{\Lambda \psi} \sqrt{1 + (1/\phi - \tan \alpha_{in})^2} \right\}^{1/2}$$

$\sigma$  is average solidity  
 $\Lambda$  is average blade aspect ratio  
 $\alpha_{in}$  is average stage inlet swirl angle

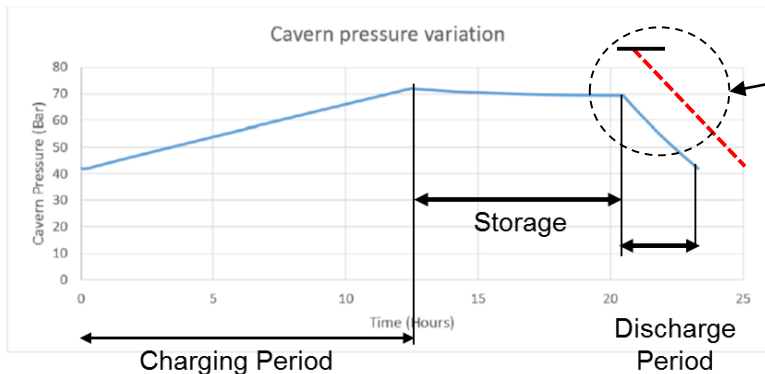


Blade design for efficient transonic operation

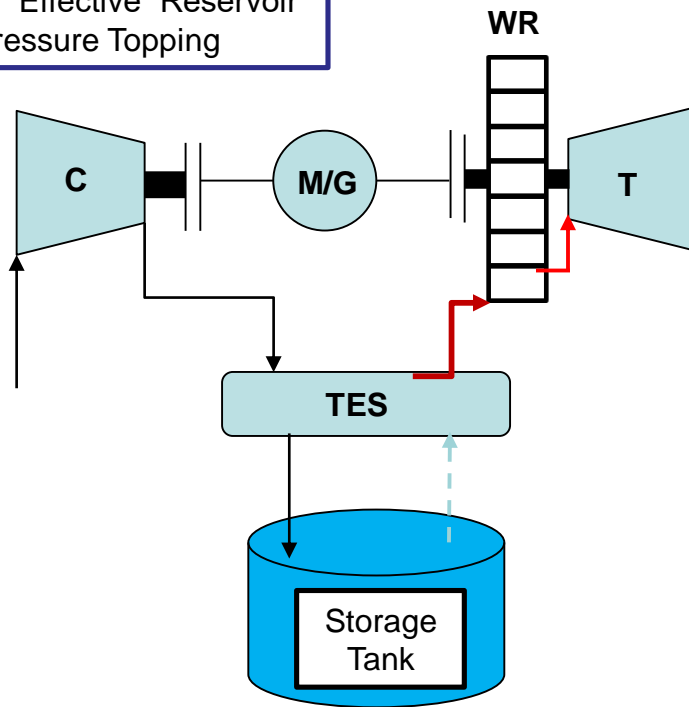


Reducing stage count by almost 50% without sacrificing performance and operability!

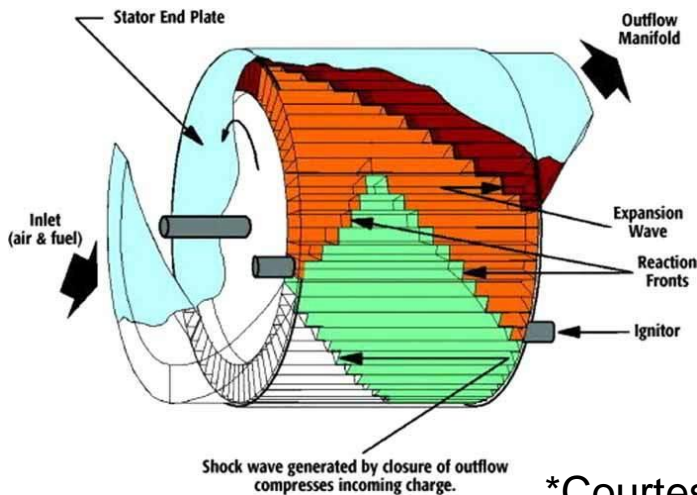
# Integration of Wave Rotor in CAES – Synergies with Industrial Steam Turbine



WR as “Effective” Reservoir Pressure Topping



## Wave Rotor\* (WR): Pressure Exchanger



\*Courtesy of D. Paxson, NASA Glenn





# Back to Message

- Turbomachinery performance and cost can play a major role in the practical realization of various energy storage technologies.
- Compelling evidence and reason were given for seeking out novel turbomachinery arrangements and achieving as high a turbomachinery efficiency as potentially available, taking full advantage of current computational simulation tools (involving AI) and advanced manufacturing techniques.
- Plenty of challenges remain. Multidisciplinary system-level thinking, along with careful appropriation of existing turbomachinery engineering know-how (coupled to emerging design methods) should light the path forward...



**Thanks for listening!**

