

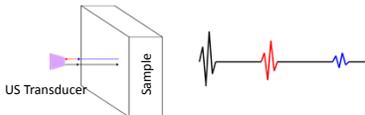
## Noninvasive Ultrasound Measurements of Temperature Distribution in Solids

Mikhail Skliar



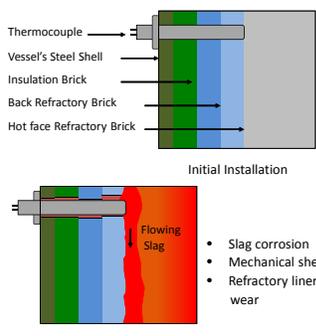
### Ultrasound Temperature Measurements

- SOS is temperature dependent in gases, liquids, and solids:  $c=f(T)$ .
- SOS can be obtained by measuring TOF of the US pulse:

$$c = \frac{2L}{t_{of}}$$


- For the uniform temperature:  $T = f^{-1}\left(\frac{2L}{t_{of}}\right)$
- Applications
  - Insertion sensors is difficult or impossible to use
  - Extreme environments
  - Optical measurements not possible

### Refractory Degradation



Stage	Sample	Description
1		<b>Asst</b> • Refractory ring cracked • Slag on the inner surface
2		<b>Preheat</b> • Front spalling due to heat stresses
3		<b>Airification, Compression</b> • Refractory ring deformation and back cracks and spalls • Refractory cracks due to slag begins
4		<b>Horizontal Crack Formation</b> • Refractory ring deformation • Slag on the inner surface
5		<b>Wool Formation</b> • Refractory ring deformation • Slag on the inner surface • Refractory cracks due to slag begins
6		<b>Refractory Cracks</b> • Refractory ring deformation • Slag on the inner surface

- Slag corrosion
- Mechanical shear
- Refractory liner wear

Stages of refractory degradation [1].

### Commercial Temperature Measurement

- Hardened sensors can withstand harsh environment longer
  - Heavy sheathing makes such devices less sensitive to dynamic changes in temperatures



Prof. Zhang Jiansheng: "Domestic TC survive ~1-2 weeks; Rosemount sapphire TC: ~4-6 weeks"

### Ultrasound Temperature Measurements

- Key difficulty:** When temperature changes along the path of US propagation, the acoustic TOF measurements depend on temperature distribution in a complex way:

$$t_{of} = \int_0^L \frac{2}{f(T(t,z))} dz$$

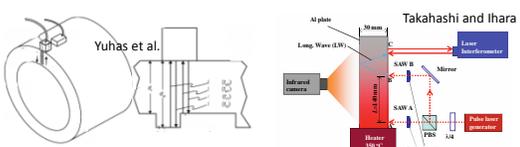
Deconvolution of the TOF measurement is an ill-posed problem.

- Parameterizations
  - Assumption that temperature is constant:

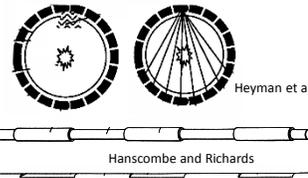
$$\int_0^L \frac{2}{f(T(z))} dz = \frac{2L}{f(T_s)}$$

- Linear temperature distribution
- Heat transfer model

### Deconvolution of TOF Measurements



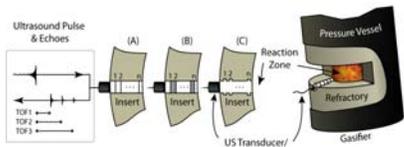
- Use heat transfer model
- Use multiple transducers/receivers
- Produce multiple US echoes



Yuhas et al., Takahashi and Ihara, Heyman et al., Hanscombe and Richards

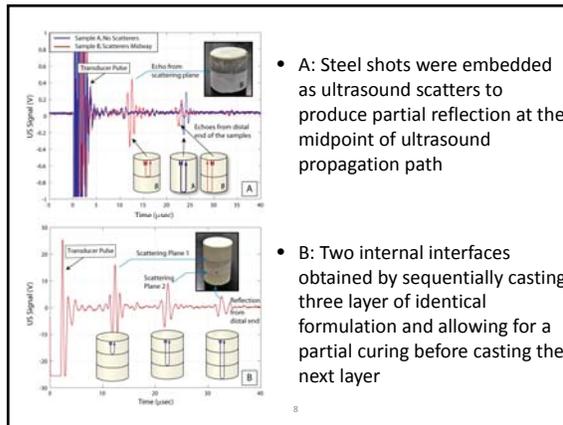
### Direct US Measurements of Temperature Distribution

- Create multiple partial reflections that give information about temperature distribution in different segments of the propagation path



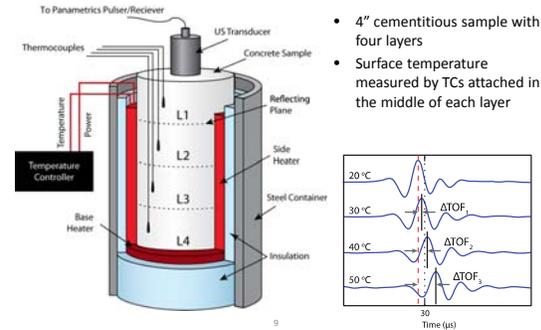
- Methods to create partial reflections:
  - Change in US impedance
  - Scatterers
  - Change in geometry

M. Skilar, K. Whitty, and A. Butterfield, Ultrasonic temperature measurement device, US Patent 8,801,277 B2, 2014.



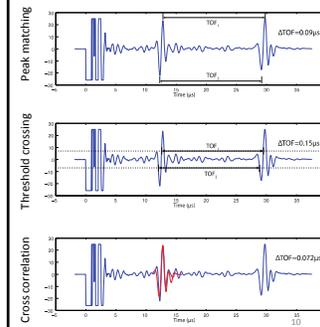
- A: Steel shots were embedded as ultrasound scatterers to produce partial reflection at the midpoint of ultrasound propagation path
- B: Two internal interfaces obtained by sequentially casting three layer of identical formulation and allowing for a partial curing before casting the next layer

### Experimental Setup



- 4" cementitious sample with four layers
- Surface temperature measured by TCs attached in the middle of each layer

### Dissipative samples: Accurate timing is difficult



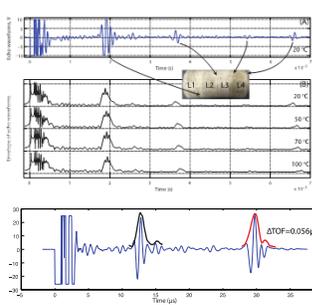
- Standard timing techniques
  - Single-point features
    - Zero or threshold crossing
    - Peak value
  - Shape matching
    - By cross correlation
 
$$t_{of} = \arg[\max(x(\tau))]$$

$$x(\tau) = \int s_x(t) \cdot s_y(t - \tau) dt$$
    - By minimizing norms
 
$$t_{of} = \arg[\min(L(\tau))]$$

$$L_x(\tau) = \int |s_x(t) - s_y(t - \tau)| dt$$

$$L_c(\tau) = \int [s_x(t) - s_y(t - \tau)]^2 dt$$
    - Maximizing likelihood

### Envelope of Ultrasound Waveform



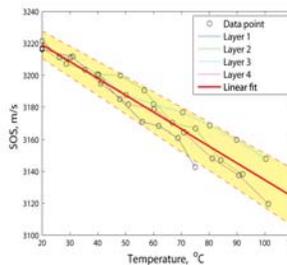
Envelope of waveform  

$$A(t) = |s_a(t)| = \sqrt{s_a(t) s_a^*(t)}$$

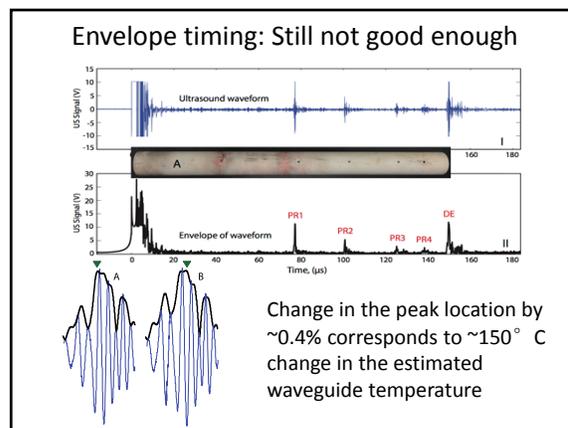
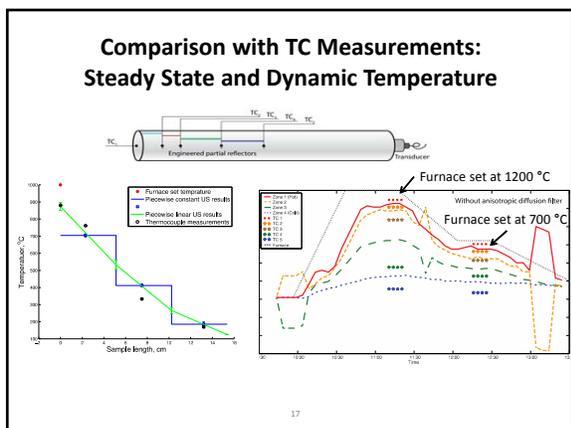
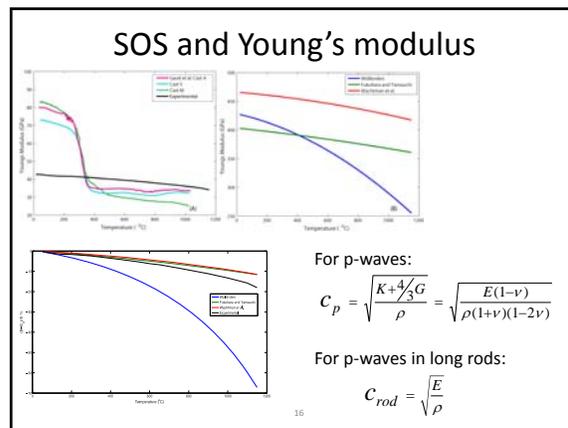
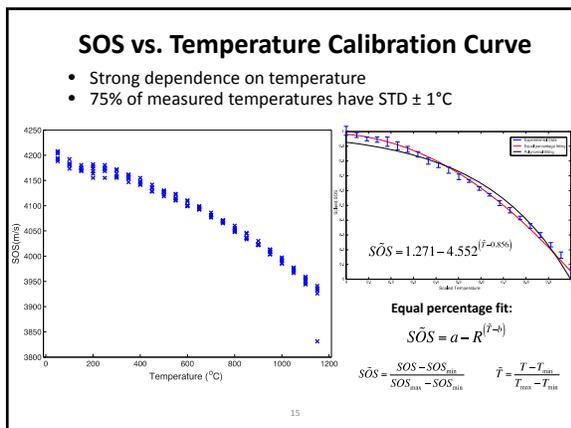
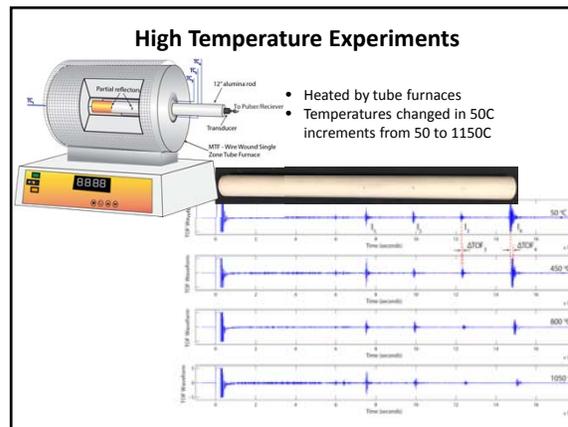
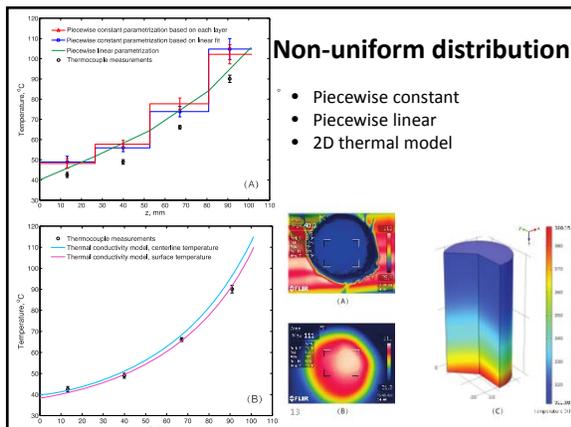
$$= \sqrt{\hat{s}^2(t) + \hat{s}^2(t)}$$
 where analytic signal  

$$s_a(t) = s(t) + j\hat{s}(t)$$
 where  $\hat{s}$  is the Hilbert transform  $s(t)$

### SOS vs. Temperature Calibration Curve



- Linear fit SOS = SOS(T) is based on data for all four layers
- Shaded area shows 95% confidence interval



### Anisotropic Diffusion (Perona-Malik) Filter

Iteratively filter images using diffusion operator with spatially varying diffusion coefficient:

$$\frac{\partial}{\partial \tau} u(\mathbf{r}, \tau) = \nabla \cdot [D(\mathbf{r}, \tau) \nabla u(\mathbf{r}, \tau)], \quad u(\mathbf{r}, 0) = I(\mathbf{r})$$

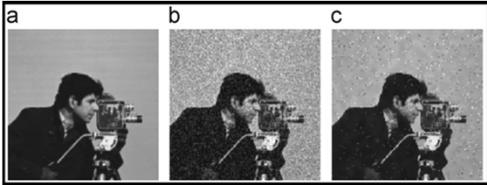
**Common choices of  $D$**

Preserves high-contrast edges      Favors wide regions

$$D_1(\mathbf{r}, t) = \exp\left(-\left(\frac{|\nabla I(\mathbf{r}, t)|}{\kappa}\right)^2\right) \quad D_2(\mathbf{r}, t) = \frac{1}{1 + \left(\frac{|\nabla I(\mathbf{r}, t)|}{\kappa}\right)^{\alpha}}, \quad \alpha > 0$$

$\kappa$ : gradient modulus threshold for conduction control

### Anisotropic Diffusion Using in Image Processing



a: Original image  
b: Original plus Gaussian noise ( $\sigma=0.1$ )  
c: Filtered by anisotropic diffusion after 15 iterations.

C. Tsotsios and M. Petrou, "On the choice of the parameters for anisotropic diffusion in image processing," Pattern recognition, vol. 46, no. 5, pp. 1369-1381, 2013.

### 1D Anisotropic Diffusion applied to envelope

$$\frac{\partial}{\partial \tau} u(t, \tau) = \frac{\partial}{\partial t} \left[ D(t, \tau) \cdot \frac{\partial}{\partial t} u(t, \tau) \right]$$

$$\approx \frac{D(t + \frac{\Delta t}{2}, \tau) \cdot (u(t + \Delta t, \tau) - u(t, \tau)) - D(t - \frac{\Delta t}{2}, \tau) \cdot (u(t, \tau) - u(t - \Delta t, \tau))}{\Delta t^2}$$

where

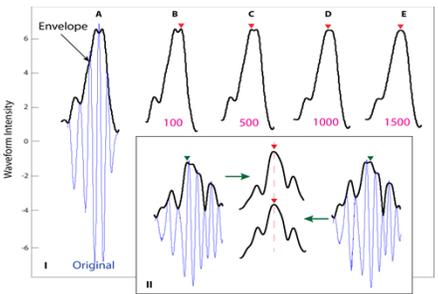
$$D(t + \frac{\Delta t}{2}, \tau) = \exp\left(-\left(\frac{(u(t + \Delta t, \tau) - u(t, \tau))}{\kappa \Delta t}\right)^2\right)$$

$$D(t - \frac{\Delta t}{2}, \tau) = \exp\left(-\left(\frac{(u(t, \tau) - u(t - \Delta t, \tau))}{\kappa \Delta t}\right)^2\right)$$

Starting with the original envelope,  $u(t, 0) = A(t)$ , iterate to update the filtered values

$$u(t, \tau + \Delta \tau) = u(t, \tau) + \Delta \tau \cdot rhs$$

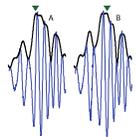
### Application of Anisotropic Diffusion Filter



Envelope A, B, C, D, E  
100, 500, 1000, 1500  
I Original, II

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### Comparison of TOF timing errors



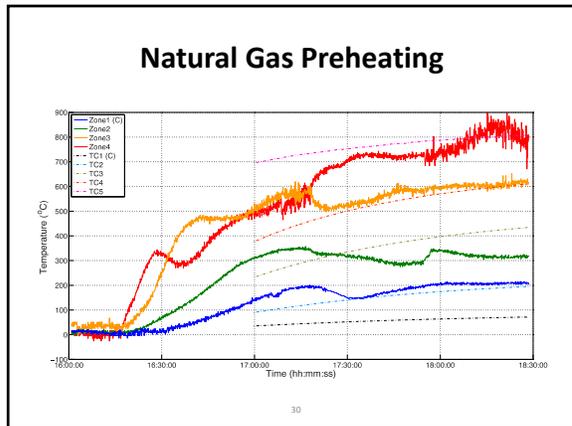
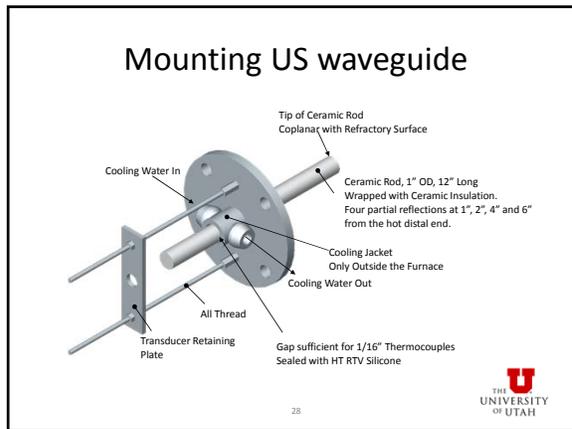
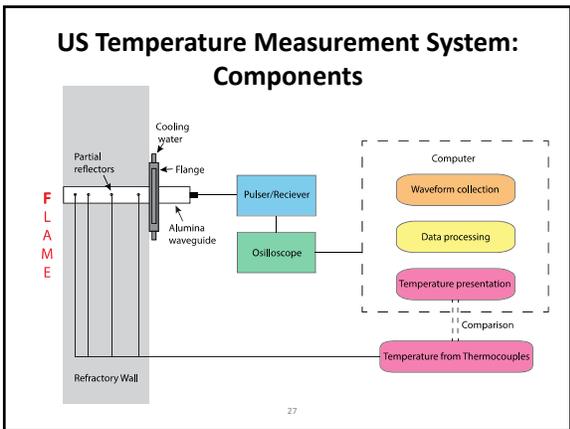
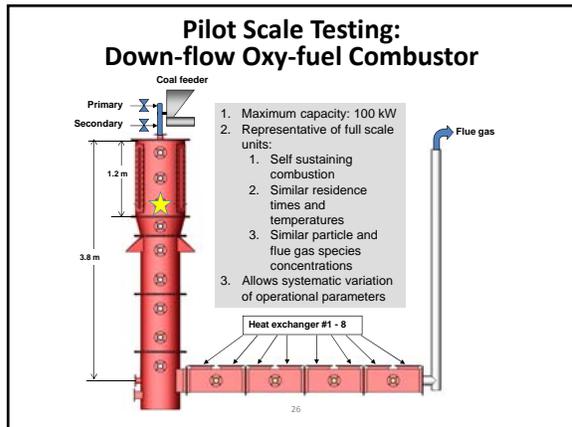
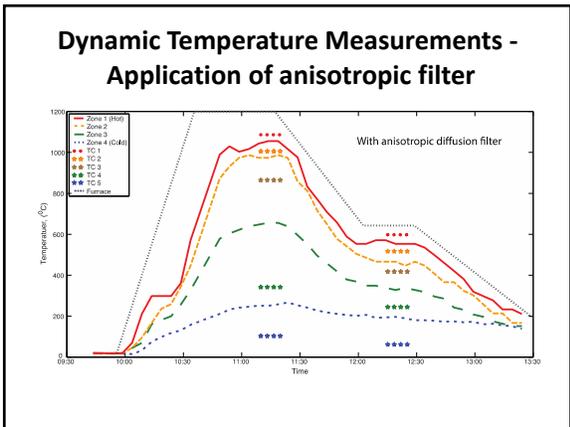
TOF Estimation Methods	Cementitious Sample, TOF Differences (ns)	Alumina Sample, TOF Differences (ns)
Peak of the waveform	90	30
Threshold of the waveform	100	25
Waveform Cross-correlation	72	26
Envelope Cross-correlation	56	26
Peak of filtered envelope	0	0
Cross-correlation of Filtered Envelope	0	0

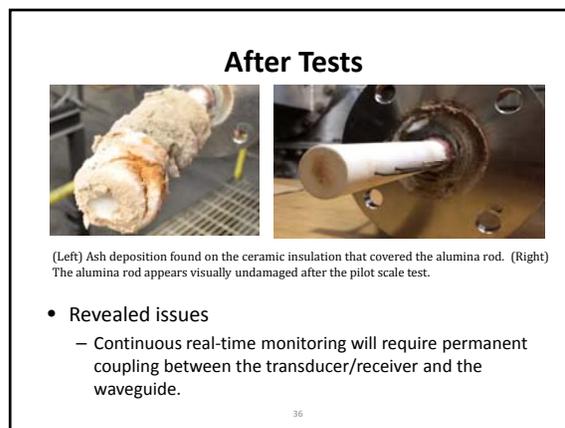
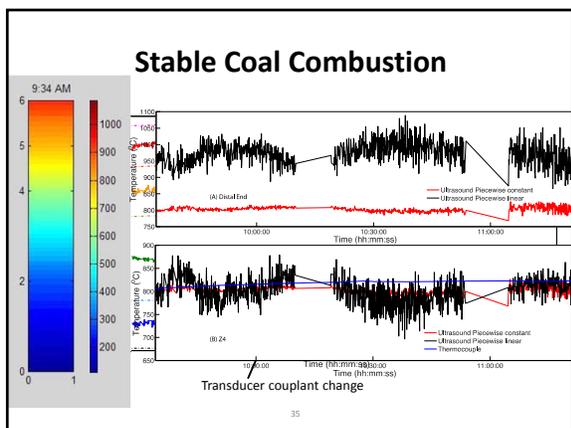
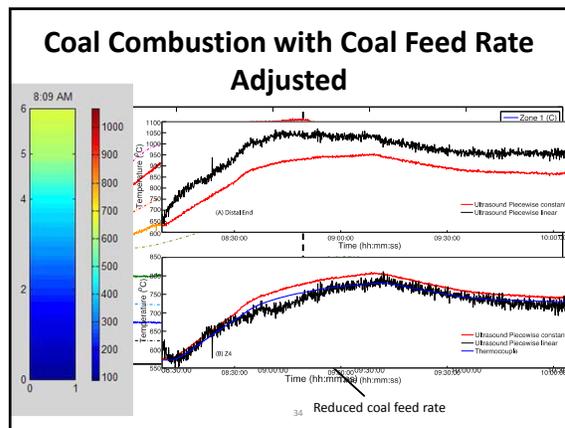
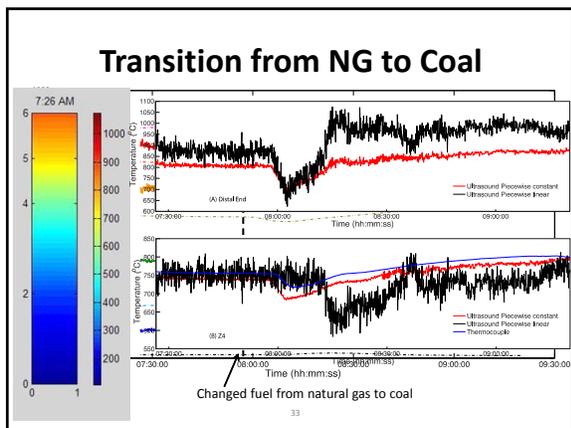
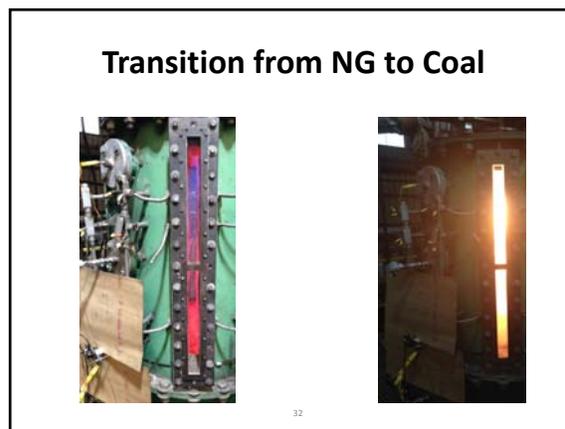
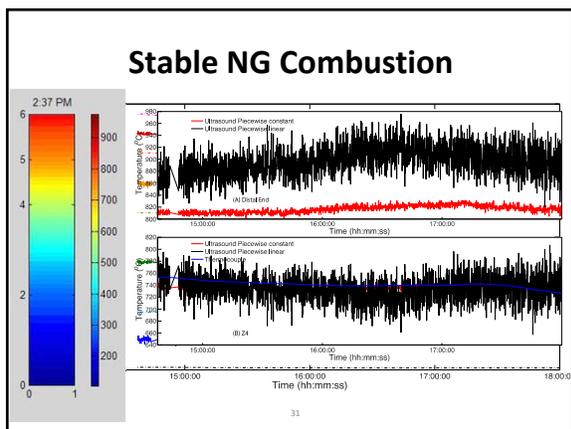
### Small TOF errors in TOF translate into large temperature errors: Alumina sample

TOF Estimation Methods	TOF Differences (ns)	Temperature Differences (20° C as reference) (° C)
Peak of the waveform	30	50.47
Threshold of the waveform	25	42.30
Waveform Cross-correlation	26	43.94
Envelope Cross-correlation	26	43.94
Peak of filtered envelope	0	0
Cross-correlation of Filtered Envelope	0	0

At 20 ° C:

- The average TOF of 2" alumina waveguide is 24.2  $\mu$ s.
- A TOF measurement error by 0.1% implies that the temperature measurement error of 41 ° C.





### Grain growth

Significant deterioration of the ultrasound signal was observed after long time operation in high temperature condition.

No heat treatment
Short heat treatment
Long heat treatment

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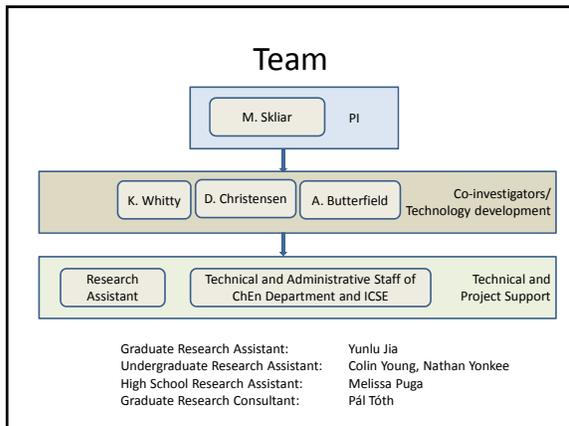
### Conclusions

- Noninvasive US measurements of temperature distribution in solids at extreme conditions are possible
- Can be used to measure conductive heat fluxes deep inside solids
- Pilot-scale tests shows that the method provides accurate continuous real-time in-situ measurements of temperature distribution across the containment. Real time temperature changes were captured during all relevant process changes.
- Temperature distribution can be measured in multiple locations
- Method can be used with existing and integrated into new units
- Broadly applicable in energy conversion applications
- Can be used to measure temperature distribution on a line, surface, or volume

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### Moving forward

- **Ready for early adoption and testing on industrial units:** Gasifiers, combustors, kilns, smelters, ...
  - Can be used to measure temperature across multiple cross-sections of containments, nozzles, and other components.
  - New units can be designed to take better advantage of new capabilities for achieve better efficiencies, flex-fuel capabilities, longer service life
- **LOOKING FOR COMMERCIALIZATION PARTNERS**
- Broadly applicable in energy, chemical, military, space, and other applications with extreme conditions
- Environment does not have to be “extreme”
- Temperature distributions on a line, surface, or volume can be measured!
- Micro- and nano-scale applications



### Acknowledgements

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- Project manager: Barbara Carney

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Thank you!

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